

تذکرہ . .

{ وَأَنْ لَّيْسَ لِلْإِنْسَانِ إِلَّا مَا سَعَى }



Percentage, ratio strength, and other concentration expressions

Parts per Million (PPM) and Parts per Billion (PPB)

- The strengths of very dilute solutions are commonly expressed in terms of *parts per million (ppm)* or *parts per billion (ppb)*, i.e., the number of parts of the agent per 1 million or 1 billion parts of the whole.

Example

$$Y \text{ parts per million} = Y \times 10^{-6} \text{ g / ml (W/V)}$$

$$Y \text{ parts per billion} = Y \times 10^{-9} \text{ g/ml (W/V)}$$

- Express 5 ppm of iron in water in percentage strength and ratio strength.
- 5 ppm = 5 parts in 1,000,000 parts = 1:200,000, ratio
- strength = 0.0005% percentage strength,

$$5 \text{ ppm} \rightarrow \frac{5 \text{ parts of iron}}{10^6 \text{ (mixturs)}} \rightarrow \frac{5 \times 10^{-4}}{100} \rightarrow 0.0005\%$$

Percentage, ratio strength, and other concentration expressions

- **Molarity** (M) is the expression of the number of moles of solute dissolved per liter of solution. It is calculated by dividing the moles of solute by the volume of solution in liters.

$$M_A = \frac{n_A}{\text{solution (L)}}$$

$$n_A = \frac{\text{mass}_A}{\text{molar mass}_A}$$

- **Molality** (m) is the moles of solute dissolved per kilogram of solvent. Molality is calculated by dividing the number of moles of solute by the number of kilograms of solvent.

$$m_A = \frac{n_A}{\text{mass}_{\text{solvent}} \text{ (kg)}}$$

We can express about Concentration in many way :

بقدر اعبر عن التركيز بطرق عدة :

1. Molarity (M)
2. Molality (m)
3. Normality (N)
4. %
5. Ppm
6. PPb
7. 1 in x
8. 1: x

Percentage, ratio strength, and other concentration expressions

- **Normality**. A common way of dealing with acids, bases, and electrolytes involves the use of equivalents.
 - One equivalent of an acid is the quantity of that acid that supplies or donates 1 mole of H⁺ ions.
 - One equivalent of a base is the quantity that furnishes 1 mole of OH⁻ ions.
 - One equivalent of acid reacts with 1 equivalent of base.
- Equivalent weight can be calculated for atoms or molecules.

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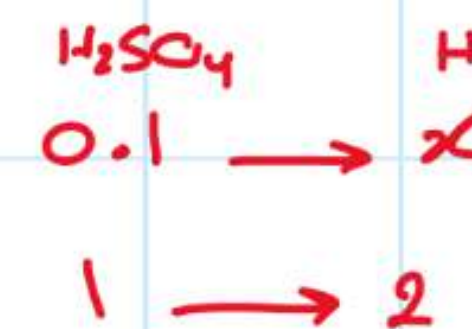
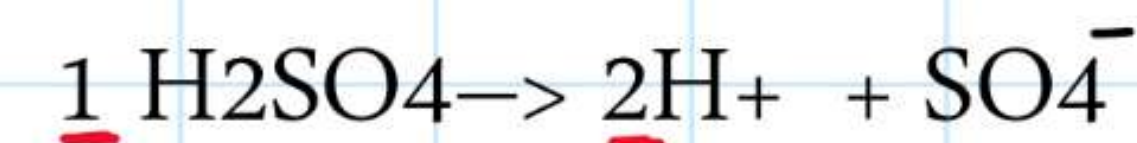
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0.1 mole of H₂SO₄

عشانهها حمض فلما بدي اعبر عنه بال

Normality

بعبير عنها بعدد مولات الهيدروجين



$$x = 0.2 \text{ N}$$

Dilution and concentration

- If the amount of drug remains constant in a dilution or concentration, then any change in the mass or volume of a mixture is inversely proportional to the concentration.

Dilution and concentration problems can be solved by:

1. Inverse proportion
2. The equation: quantity1 × concentration1 = quantity2 × concentration2 → ($V_1 * C_1 = V_2 * C_2$)
3. Determining the amount of active ingredient present in the initial mixture and, with the assumption that the initial quantity does not change, calculating the final concentration of the new total mass or volume
4. Alligation medial
5. Alligation alternate

40

0.1 M in 1 liter

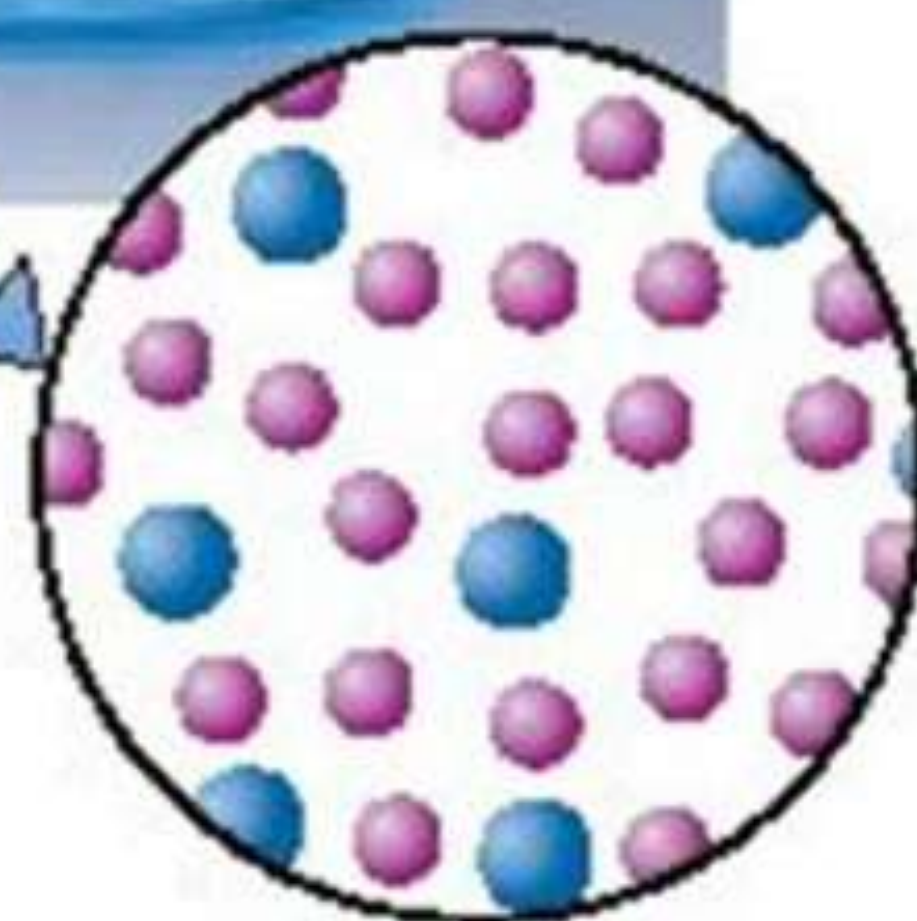
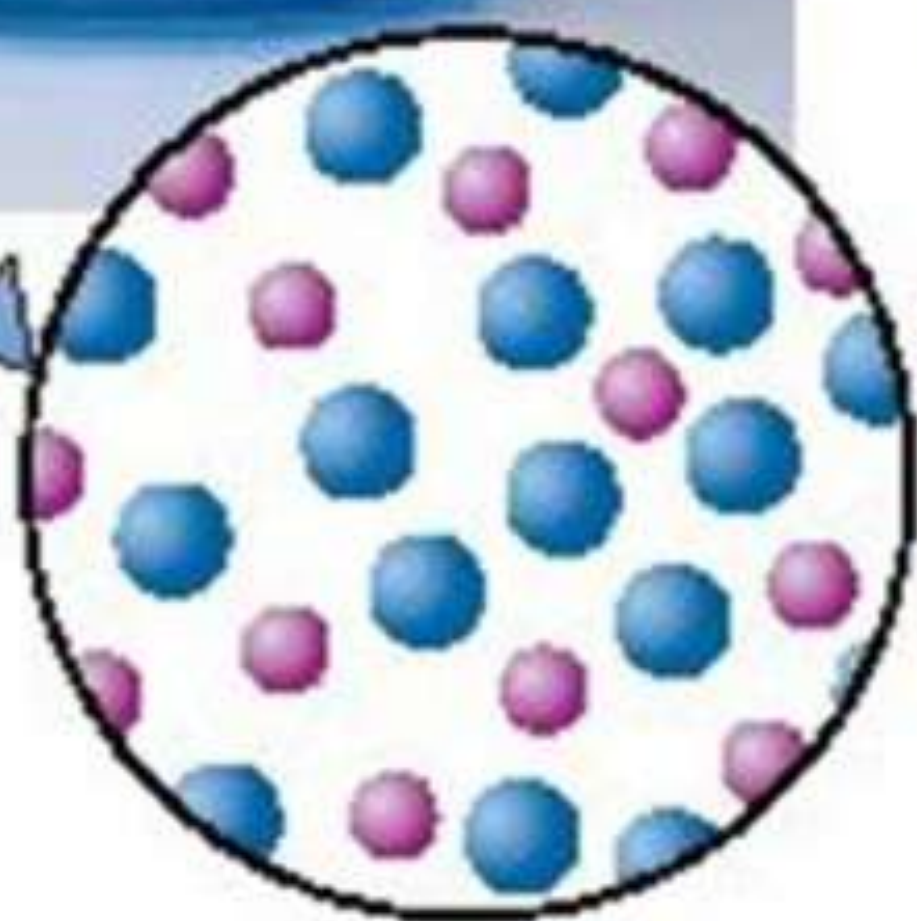
طيب لو مسكت ال 0.1M و حطيتهم بـ 10 L


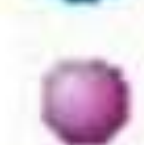
فالتركيز راح يقل لـ 0.01M ولو حطيت نفس التركيز بـ 0.5L فالتركيز راح يزيد ويصير 0.2M يعني صار مركز

(علاقة عكسية - inversely) ***

Concentration and Dilution

- **Stock solutions** are **concentrated bulk solutions** from which **more dilute solutions** can be **quickly prepared**
- These solutions can be used with a **ratio strength** or **percentage strengths**
- General formula for solving: $V1 \times S1 = V2 \times S2$
- **V1** = the **quantity or the amount of the original preparation**
كمية المحلول من التحضيرية الأصلية الي بدي اخدها وأضيفها لتحضيرة ثانية إما لتخفيف تركيزها
أم لجعلها مركزة أكثر
- **S1** = the **% strength of the original preparation** expressed as a **decimal** or **percent**
- **V2** = the quantity or amount of the **wanted preparation**
- **S2** = the **% strength of the wanted preparation** expressed as a **decimal** or **percent**



-  Solute particle
-  Solvent particle

Concentrated solution

Dilute solution

Concentration and Dilution

تم تخفيفه

- Example: if 500 ml of a 15% solution are diluted to 1500 ml , what will be the percent strength?

$$500 \text{ ml (V}_1\text{)} \times 15\% \text{ (S}_1\text{)} = 1500 \text{ ml (V}_2\text{)} \times S_2$$

$$S_2 = 5\%$$

$$S_2 = \frac{V_1 S_1}{V_2}$$

$$S_2 = ?$$

- If 1000 ml of a 20% solution are diluted to 5000 ml what will be the percent strength?

$$1000 \text{ ml (V}_1\text{)} \times 20\% \text{ (S}_1\text{)} = 5000 \text{ ml (V}_2\text{)} \times S_2$$

$$S_2 = 4\%$$

$$C_2, S_2 = ?$$

Dilution and concentration

- Example**

- How many **milliliters** of a **1:50 stock** solution of ephedrine sulfate should be used in compounding the following prescription?

1g → 50 mL solution
C₁

V₁ = ?

way 2

$$C_1 = \frac{1 \text{ g}}{50 \text{ mL}} \rightarrow \frac{2}{100} \rightarrow 2\%$$

$$V_1 = \frac{V_2 C_2}{C_1} = \frac{30 \times 0.25\%}{2\%} = 3.75 \text{ mL}$$

R _x	ephedrine sulfate	$\frac{0.25\%}{C_2}$
	rose water, ad	$\frac{30 \text{ mL}}{V_2}$

$$\frac{0.25 \text{ g}}{100 \text{ mL}} \times 30 \text{ mL} = 0.075 \text{ g drug required}$$

$$\frac{50 \text{ mL}}{1 \text{ g}} = \frac{x \text{ mL}}{0.075 \text{ g}}$$

$$x = 3.75 \text{ mL of stock solution required}$$

Wagl

$$0.25 \rightarrow 100 \text{ mL}$$

$$x \rightarrow 30 \text{ mL}$$

$$x = 0.075 \text{ g of sulfad powder}$$

معي stock فيها 1:50 من مادة ال powder

→

$$1 \text{ g} \rightarrow 50 \text{ mL}$$

$$0.075 \text{ g} \rightarrow y$$

$$y = 3.75 \text{ mL of stock solution}$$

Concentration and Dilution

• Solve:

$$V_2 = ?$$

$$V_2 = \frac{V_1 C_1}{C_2}$$

1. How many milliliters of a 25% solution can be prepared from 750ml of a 65% solution?

Answer: 1950 ml

2. If 30 gm of a 45% powder was diluted to make a 30% powder, how many grams will the new preparation weigh?

Answer: 45 gm

3. If 20 ml of a 1:200 solution of a chemical is diluted to 500 ml, what is the ratio strength?

Answer: 1:5000

$$C_2 = \frac{20 \times \frac{1}{200}}{500} \rightarrow \frac{20}{10000} \rightarrow \frac{1}{500} \rightarrow \underline{1:5000} \quad \#$$

Reducing and enlarging formulas

الهدف من الحسابات التي قمنا بها تحت

- The pharmacist is often required to reduce or enlarge a recipe.
- Problems of this type are solved through **proportion**, or by **multiplication** or **division** by the **appropriate factor** to obtain the **required amount of each** ingredient that will give the **desired total mass or volume** of the formula.

التناسب

Reducing and Enlarging formulas

- Determine the total weight or volume of ingredients and convert to the required quantity. The quantity in the original and new formulas will have **the same ratio**

$$F = \frac{\text{الكمية بدي احضرها}}{\text{الكمية المعيارية}}$$

وبضرب الجواب اللي طلع معي بكل القيم الموجودة في الجدول

Reducing and Enlarging formulas

- Calculate the amount needed for 50 ml strong sodium salicylate mixture

Sodium salicylate	10 g $\times 0.05 = 0.5g$
Sodium metabisulfate	1 g $\times 0.05 = 0.05g$
D.S. chloroform water	525 ml $\times 0.05 = 26.25ml$
Water q.s.	1000 ml

Answer:

Sodium salicylate 0.5gm

Sodium metabisulfate 0.05g

D.S. chloroform water 26.25 ml

Water 50 ml → محضى

Factor = الكمية الي بدي احضرها / الكمية المعيارية

$$\text{Factor} = 50/1000 = 0.05$$

Reducing and Enlarging formulas

- Calculate the amounts needed for **100 ml** peppermint water?

Peppermint water:

$$F = \frac{100}{1000} = \underline{\underline{0.1}}$$

Peppermint oil	2 ml * 0.1 = 0.2 ml
Talc	15 g * 0.1 = 1.5 g
Purified Water q.s.	1000 ml

Answer:

Peppermint **0.2 ml**

Talc **1.5 gm**

Purified water q.s. 100 ml → **مُعطر**

(V/V)

- What is the **percentage of alcohol in** the following **mixture** ?

(ROH₁) Alcohol 2% 5ml (0.1 ml)

(ROH₂) Alcohol 4% 10 ml (0.4 ml)

Answer:

X = 3.33%

$$\begin{aligned} &\rightarrow 2 \rightarrow 100 \\ &x \rightarrow 5 \\ &x = 0.1 \text{ ml} \end{aligned}$$

$$\begin{aligned} &4 \rightarrow 100 \\ &y \rightarrow 10 \\ &y = 0.4 \text{ ml} \end{aligned}$$

Total V of mixture = 15 ml

Total amount of ROH = 0.5

$$\begin{aligned} 0.5 &\rightarrow 15 \text{ ml} && \text{or } \frac{0.5}{15} \times 100\% \\ x &\rightarrow 100 \text{ ml} \end{aligned}$$

$$\downarrow \\ = 3.33\%$$

Reducing and enlarging formulas

Formulas that indicate quantities

Example 1 pound = 454 g

- The following prescription for cold cream provides a 100 g quantity.
- What mass of each ingredient is required to provide 1 pound (AV) of cream? 454g

$$F = \frac{454 \text{ g}}{100 \text{ g}} = \underline{\underline{4.54}}$$

R _x	white wax	12.5 g
	mineral oil	60.0 g
	lanolin 4.54 *	2.5 g
	sodium borate	1.0 g
	rose water	24.0 g
		<u>100 g</u>



Reducing and enlarging formulas

Formulas that indicate quantities

Example (solution)

1 pound (AV) = 454 g

454/100 = 4.54 (factor used in calculating quantities for each ingredient)

$12.5 \text{ g} \times 4.54$	=	56.8 g of white wax
$60.0 \text{ g} \times 4.54$	=	272 g of mineral oil
$2.5 \text{ g} \times 4.54$	=	11.4 g of lanolin
$1.0 \text{ g} \times 4.54$	=	4.54 of sodium borate
$24.0 \text{ g} \times 4.54$	=	109 g of rose water

Reducing and enlarging formulas

Formulas that indicate parts

- When dealing with formulas that specify parts, parts by weight will require the determination of weights of ingredients, whereas parts by volume warrant the calculation of volumes of ingredients.
- Always find the total number of parts indicated in the formula and equate that total with the total mass or volume of the desired formula in order to set up a proportion.

حسب السؤال بجدده : Part
يعني لو كنت بتعامل مع Grams فبتكون بالـ g
و لو كنت بتعامل مع ml فبتكون بالـ ml

Reducing and enlarging formulas

Formulas that indicate parts

Example

- What quantities should be used to prepare 100 g of camphorated parachlorophenol?

$$F = \frac{100}{20} = \underline{\underline{5}}$$

$$\frac{7 \text{ parts}}{20 \text{ parts}} = \frac{x \text{ g}}{100 \text{ g}}; x = 35 \text{ g of parachlorophenol}$$

$$\frac{13 \text{ parts}}{20 \text{ parts}} = \frac{x \text{ g}}{100 \text{ g}}; x = 65 \text{ g of camphor}$$

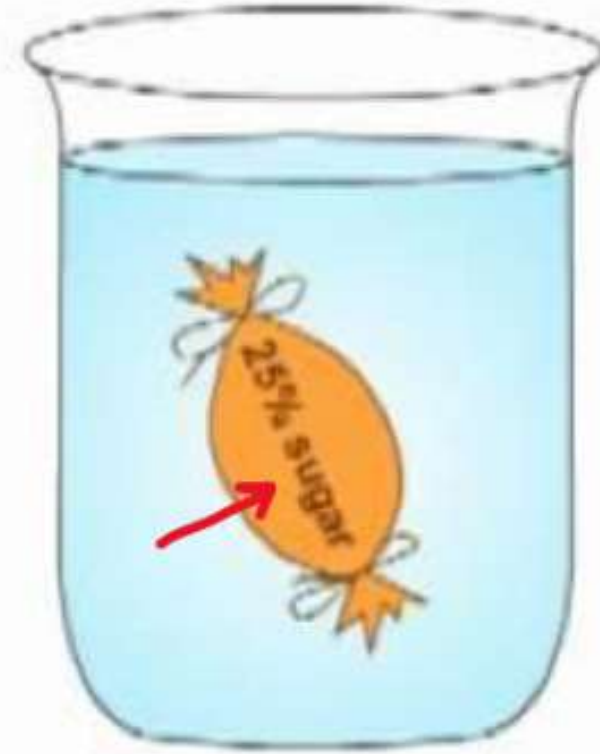
R _x	parachlorophenol	5 * <u>7</u> ^g parts
	camphor	5 * <u>13</u> ^g parts
	7 parts + 13 parts = <u>20</u> ^g parts total	

Iso-osmoticity and Isotonicity

ظاهرة

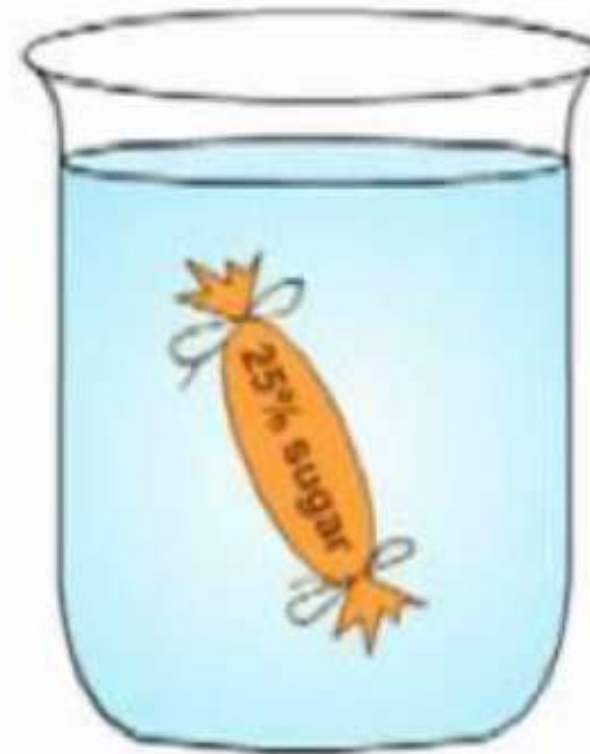
- Osmosis is a phenomenon that occur when a semipermeable membrane (permeable only to solvent molecules) is used to separate solutions of different solute concentrations
شبه نفاذ ←
- The solvent molecules cross the membrane from lower to higher concentration to establish a concentration equilibrium of solute
يكون الغشاء نفاذ فقط لجزيئات الماء
- The pressure driving this movement called osmotic pressure
- Osmotic pressure is governed by the number of particles of solute in solution
- Iso-osmotic solutions: solutions containing the same concentration of particles and thus exert equal osmotic pressure

This is a
Hypotonic Solution
(in relation to the bag contents)



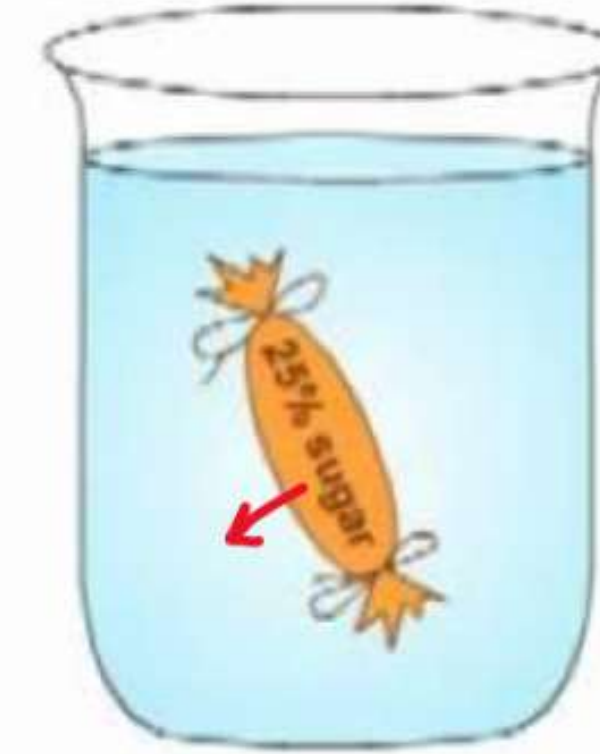
Beaker A
100 ml dH₂O
Swelling (lysis)

This is an
Isotonic Solution
(in relation to the bag contents)



Beaker B
100 ml 25% sugar

Hypertonic solution



Beaker C
100 ml 50% sugar
Shrinkage

In the final experiment, watch what happens when a bag containing 25% sugar is placed in a beaker containing 50% sugar. In this case, the solute concentration of the beaker is higher than that of the bag.

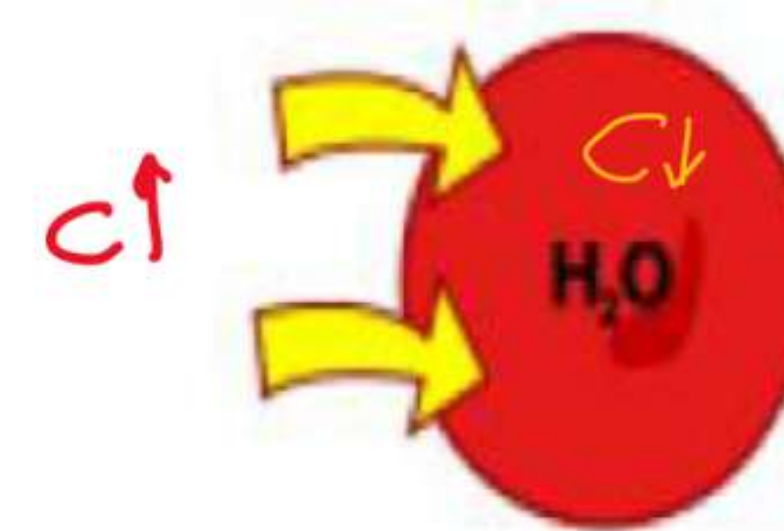
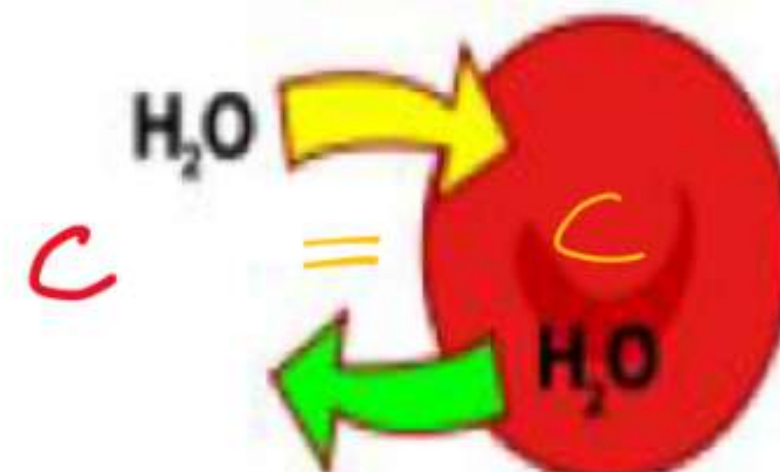
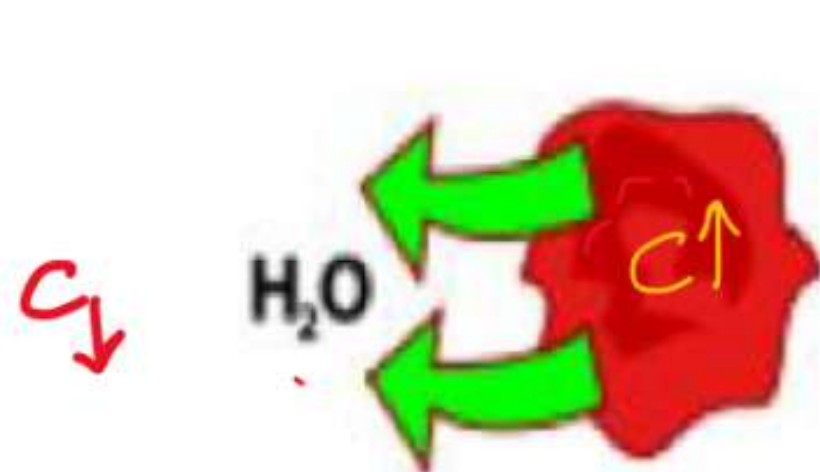
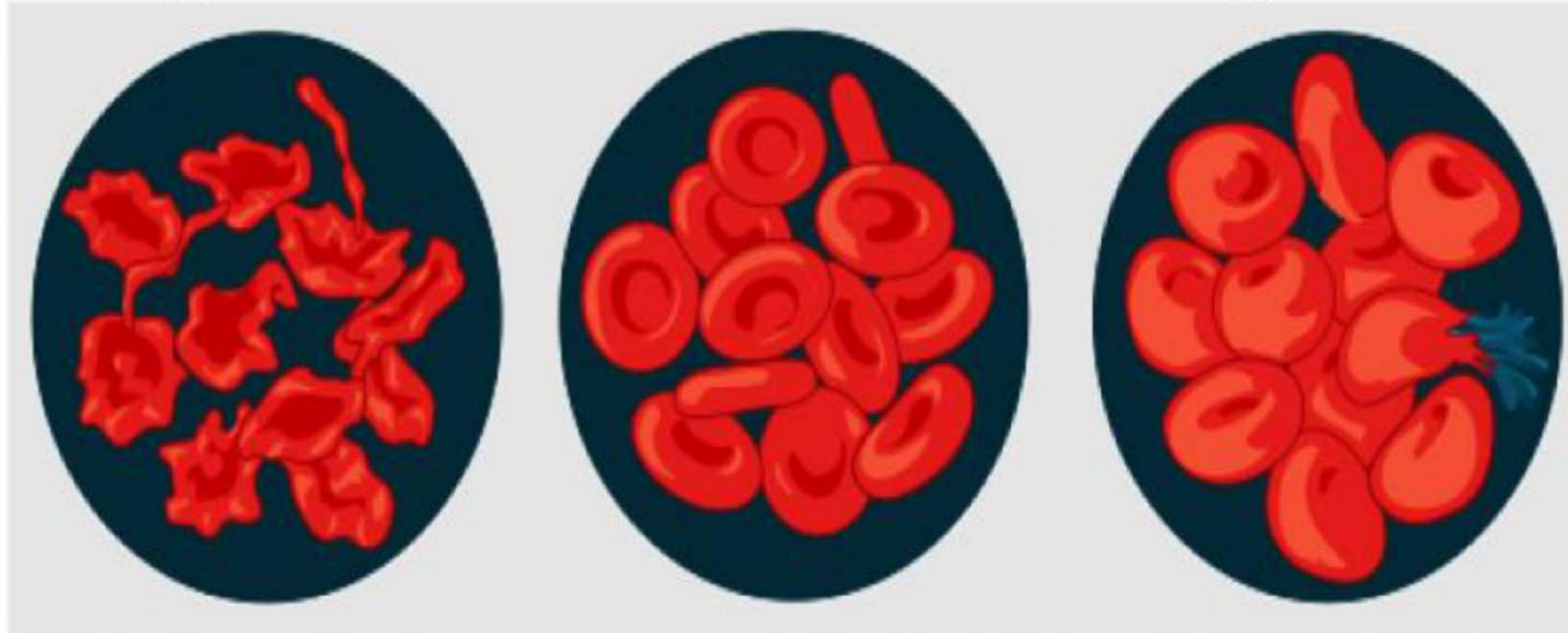
بهمني مثلا لو عملنا قطرة عين فلازم يكون محلول
القطرة Iso لخلايا العين عشان ما يصير عندي سيولة أو جفاف**

انتقال جزيئات الماء يكون من التركيز العالي لجزيئات الماء (تركيز ال Solute قليل) لمنطقة التركيز قليل لجزيئات الماء (تركيز ال Solute عالي)

Hypertonic

Isotonic

Hypotonic



الـ C لجزيئات الماء

Iso-osmoticity and Isotonicity

- A 0.9% solution of sodium chloride (normal saline) is iso-osmotic with blood. المالوحة
iso-osmotic - نفس الـ isotonic - مصطلح الـ
- (Isotonic) means equal tone and sometimes is used interchangeably with the term (iso-osmotic) ←
- أهمية The importance of using isotonic or iso-osmotic solutions is to assure that there is no tissue damage or pain when the formulation is administered انه يكون المحلول صافياً
- Hypotonic solutions produce painful swelling of tissues
- Hypertonic solutions produce painful shrinking of tissues

Methods used to adjust the isotonicity of compounded solutions:

1. Sodium chloride equivalent method:
 - the most widely used
 - The NaCl equivalent (E) is the amount of NaCl that has the same osmotic effect (based on the number of particles) as 1 gm of drug
 - Tables of (E) for various drugs are available in standard references
2. Cryscopic method
3. Isotonic solution V values

Methods of adjusting the tonicity

Class I: NaCl equivalent method

In NaCl equivalent method, NaCl or some other substance is added to the solution of the drug to make the concentration of the solution equivalent to 0.9% NaCl, and thus make it isotonic with body fluids.