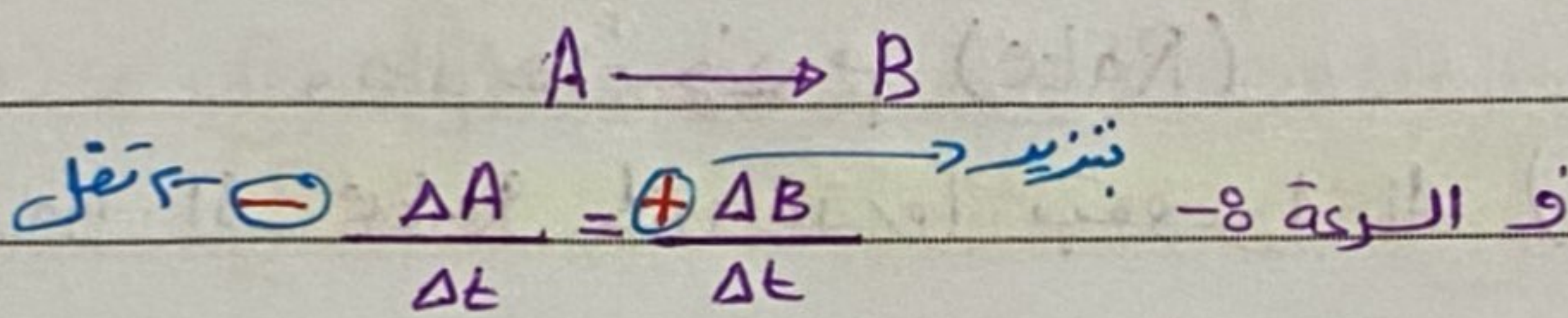


Rate of reaction

Rate of reaction :-

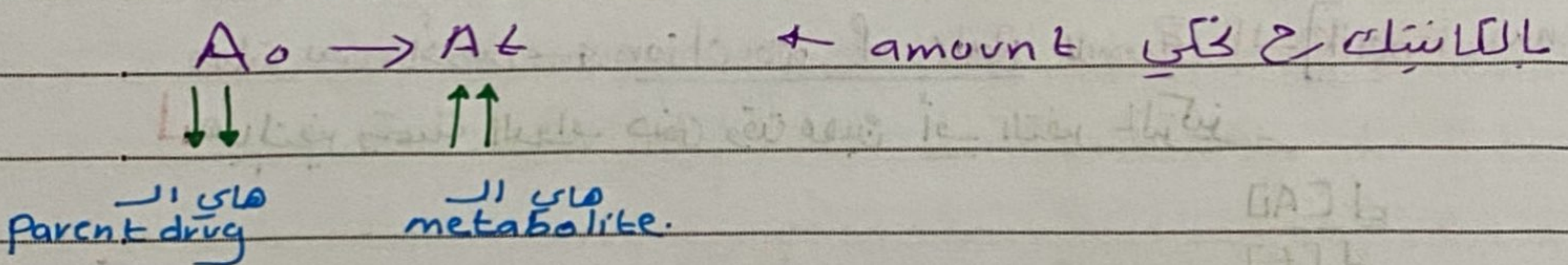
→ [Rate of reaction :- (سرعة التفاعل)]
 ← التغير في كمية معينة
 التغير في الزمن

* لو عجزت المادة A تحولت الى B و rate ← هو سرعة تحول المادة من A ← B



لأنه هيك :- إنه فاش مباشرة تحولت A الى B
 تحول بشكل تدريجي

ف مع لوقت الى A رح تقل و الى B
 رح تزيد رهاد يكون ريس الكاينك
 بس ما نعتلوا (A و B).



إحتاجيننا اي دوا ركوني مع active ingredients + excipient.
 هاد الي بوعيني

طب قو مهنت هاد كافي ؟ 😊

الكيمياء هي حسابتها هي Rate، وبنائه التغييرات في المادة هو نفسه

[هنا سنناقش بقدر 25]

[السرعة ثابتة] ← هنا لو صاغت الجزيء الأولية.

* ههنا زي ما حلينا قبل سرعة تحول من (A → B) ههنا النظرية A الي انا اعطيتها.

Rate ← [Constant] [25] ههنا النظرية عن الجزيء الأولية

هاد الـ Rate الـ [Pharmacokinetics] ههنا عنه

[Rate of elimination]

هاد الـ Rate كونه ثابت بنسبة

[Zero order Kinetics]

في الـ (zero order) -

الـ Rate ما يعتمد على التركيز الأولي، لانه ههنا عن التركيز الي ههنا يعطي

الـ Rate بظل ثابت

* بالنظر الـ Rate بنسبة طردية مع concentration الي يعطي

بنا الـ Zero order ما يعتمد على التركيز الأولي

Rate $\propto [A]^0 = 1$

$-\frac{dA}{dt}$

(metabolic) * ما حطت الي تم انتاجه، حطت

الـ active ingredients ههنا

$\frac{dA}{dt} = -K$

[Zero order kinetic reaction]

Example (2)

$t=0$	A_0	A_2	$t=2$
	100	50	
	200	100	
	400	200	

$$\frac{dA}{dt} = \frac{A_0 - A_2}{t_0 - t_2}$$

الجرعة
المنقولة

end Point (1) :- $\frac{100 - 50}{0 - 2} = \boxed{25}$

↓
التركيز
تأخر تدوير
بالجسم

end Point (2) :- $\frac{200 - 100}{0 - 2} = \boxed{50}$

end Point (3) :- $\frac{400 - 200}{0 - 2} = \boxed{100}$

المعدل \rightarrow Rate \rightarrow mg/h

لذلك أضافنا قاعدة برفي عن amount من conc

ملاحظة: معدل التمثال انه (Rate) متغير (متش ثابت) \rightarrow المثال الأول \rightarrow كان ثابت
وكم ان يزيد
مع الوقت

First order

يستج انه Rate اذا
ظري

Constant rate of elimination كون متش

$$\text{Rate} \propto [A]^1$$

$$\text{Rate} = k[A]$$

$$\frac{dA}{dt} = -k[A]$$

\rightarrow **First order kinetic reaction**

Zero order

First Order

$$\frac{dA}{dt} = -k$$

$$\frac{dA}{dt} = -k [A]$$

Rate of elimination (Constant)

Rate of elimination (not constant)

[First order / zero order] equation

الطريقة بالزيت موجود بالكتاب اذا بهتم راجعها 😊

→ $A_t = A_0 - k_0 t$ → zero order

لو بيدي amom conc $C_t = C_0 - k_0 t$

$\ln [A_t] = \ln [A_0] - k t$ → first order

$\ln [C_t] = \ln [C_0] - k t$

دقة ln و log في الحسابات

$\frac{\log A_t \times 2.303}{2.303} = \frac{\log A_0 \times 2.303}{2.303} - \frac{k t}{2.303}$

$\log [A_t] = \log [A_0] - \frac{k t}{2.303}$

لو أخذنا الـ e

$$e^{\ln[A_t]} = e^{\ln[A_0] - kt}$$

لو أخذنا الـ e لطريقين

$$[A_t] = [A_0] - e^{-kt} \rightarrow \text{first order}$$

في first order

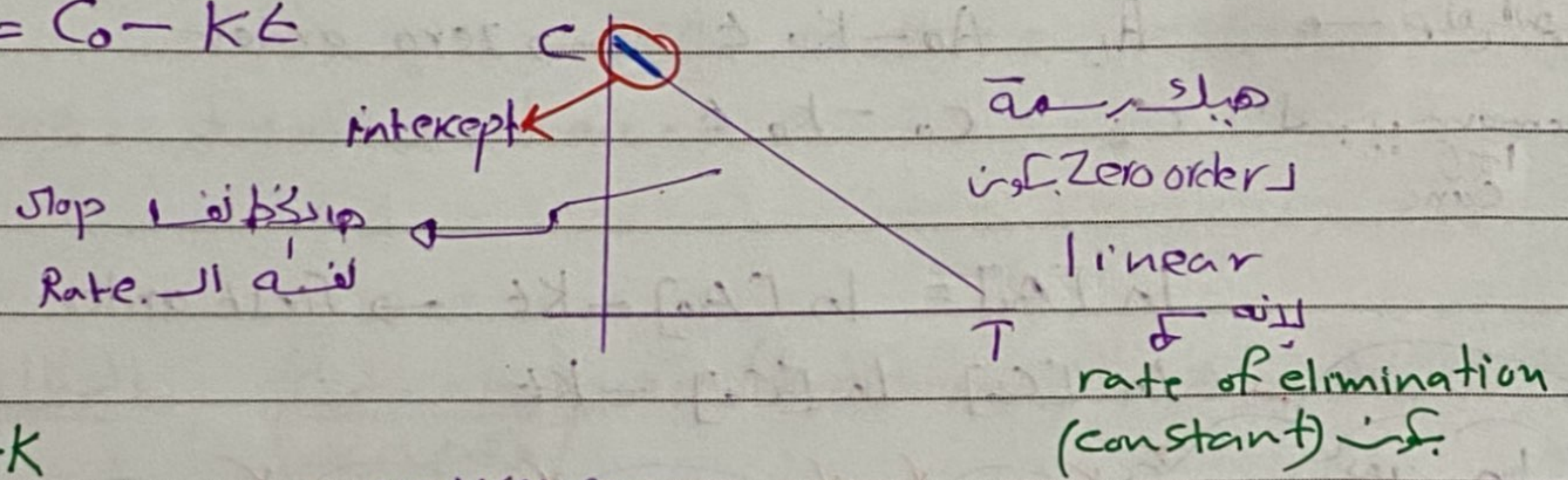
$$\ln[A_t] = \ln[A_0] - kt$$

$$\log[A_t] = \log[A_0] - \frac{kt}{2.303}$$

$$[A_t] = [A_0] - e^{-kt}$$

Zero order

$$C_t = C_0 - kt$$



negative $-k$

$$y = mx + b \rightarrow C_0$$

(Slope) m : time intercept b

$$= \frac{C_0 - C_2}{0 - 2}$$

نفس الحد

(بعض أختار نقطتين مع lines)

طرح لوجاریتمی (first order) [ای سانی + n او log]

که لانه هاد پریم ای رسم

بیانی عادی، ورقه رسم

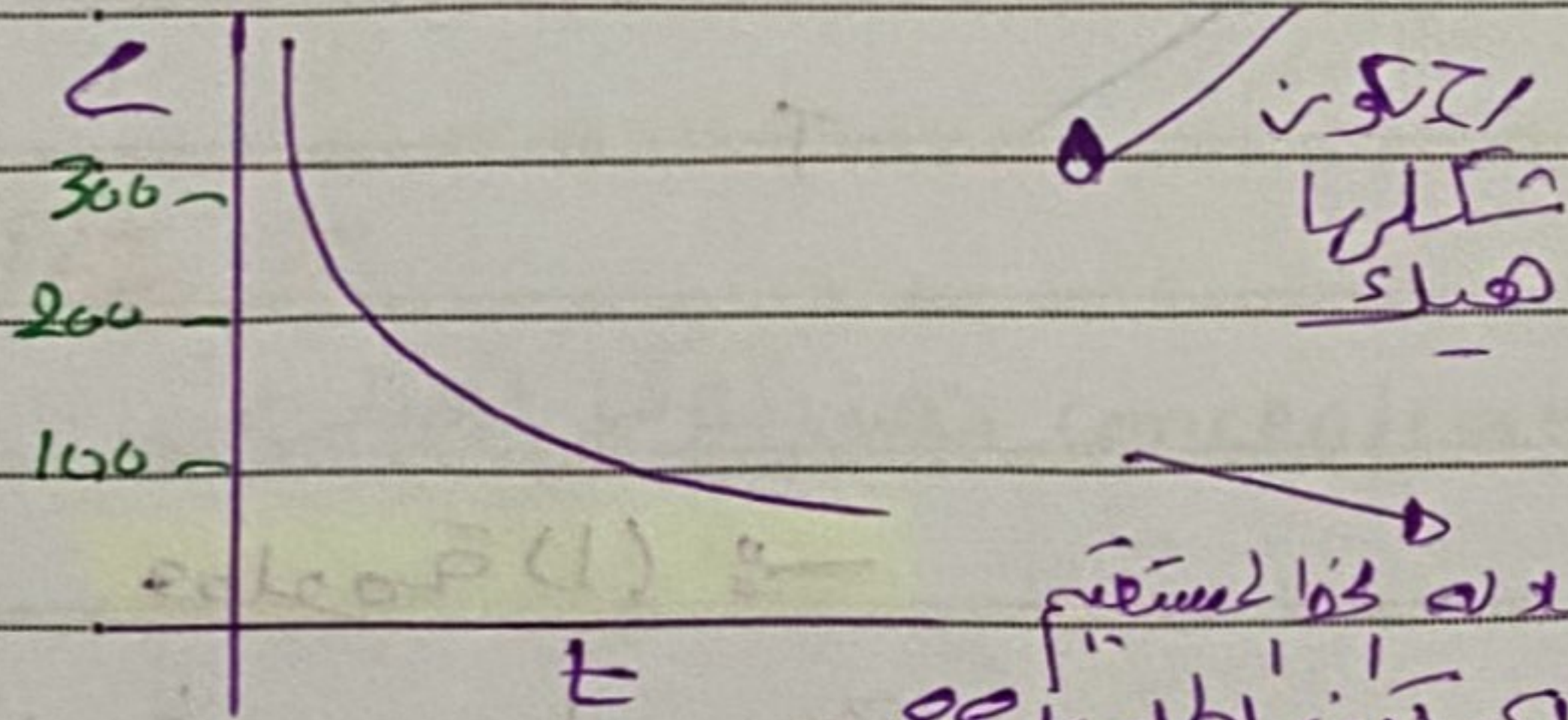
ای رسم علیها

logarithm expression

linear expression

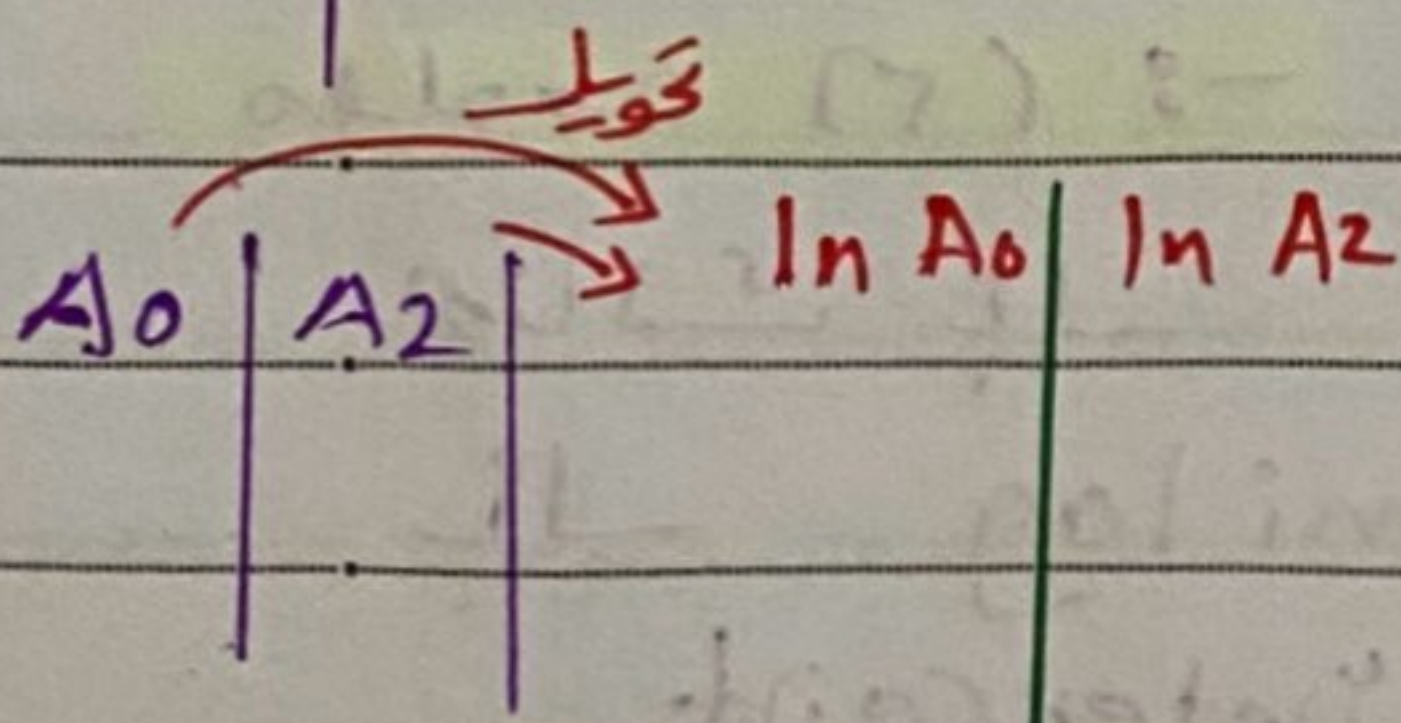
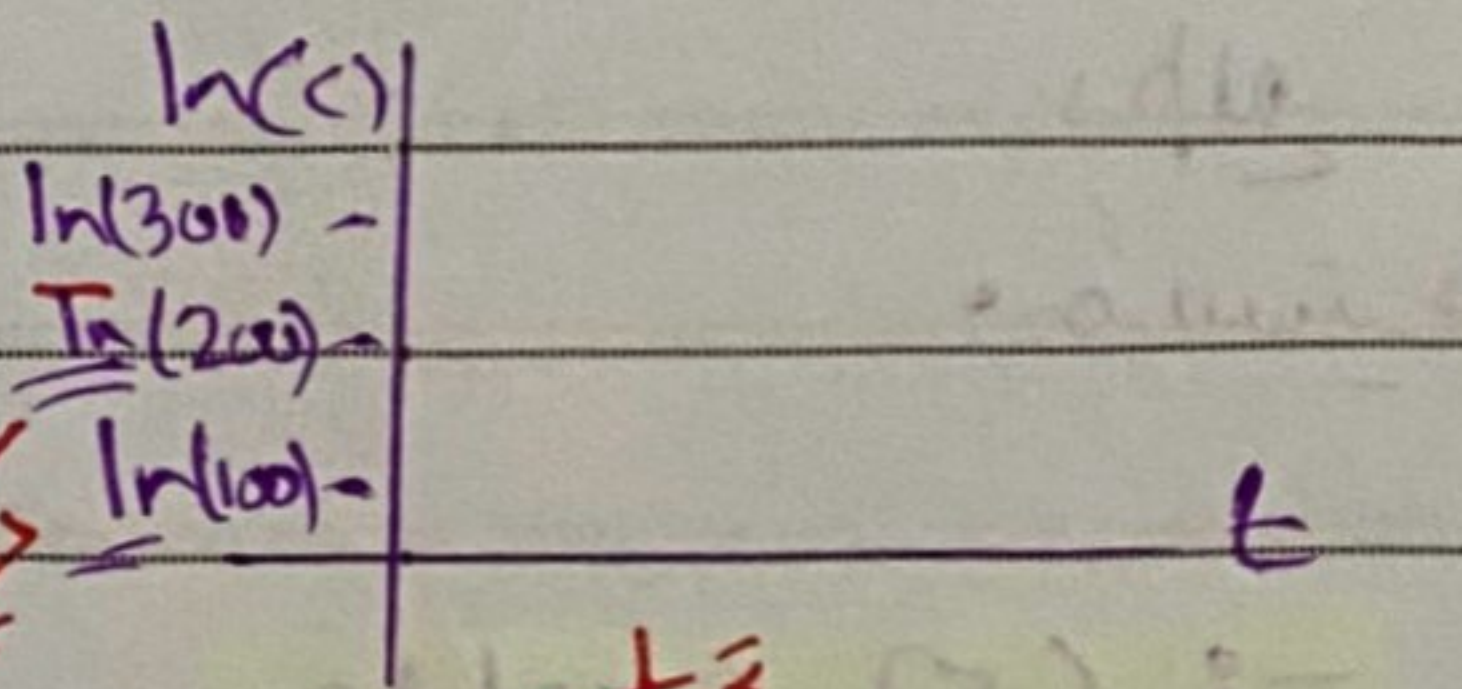
هر مختلفه عند دوقه رسم لعددی

$$[A_t] = [A_0] - e^{-kt}$$



* کون مادقور اشیر ع ۳۰۰ لانه کفا مستقیم
 چا کیف ندری اطلع ال ۳۰۰ ای کیف اطلع ک
 [عن طریق log او ln]

عن طریق ln

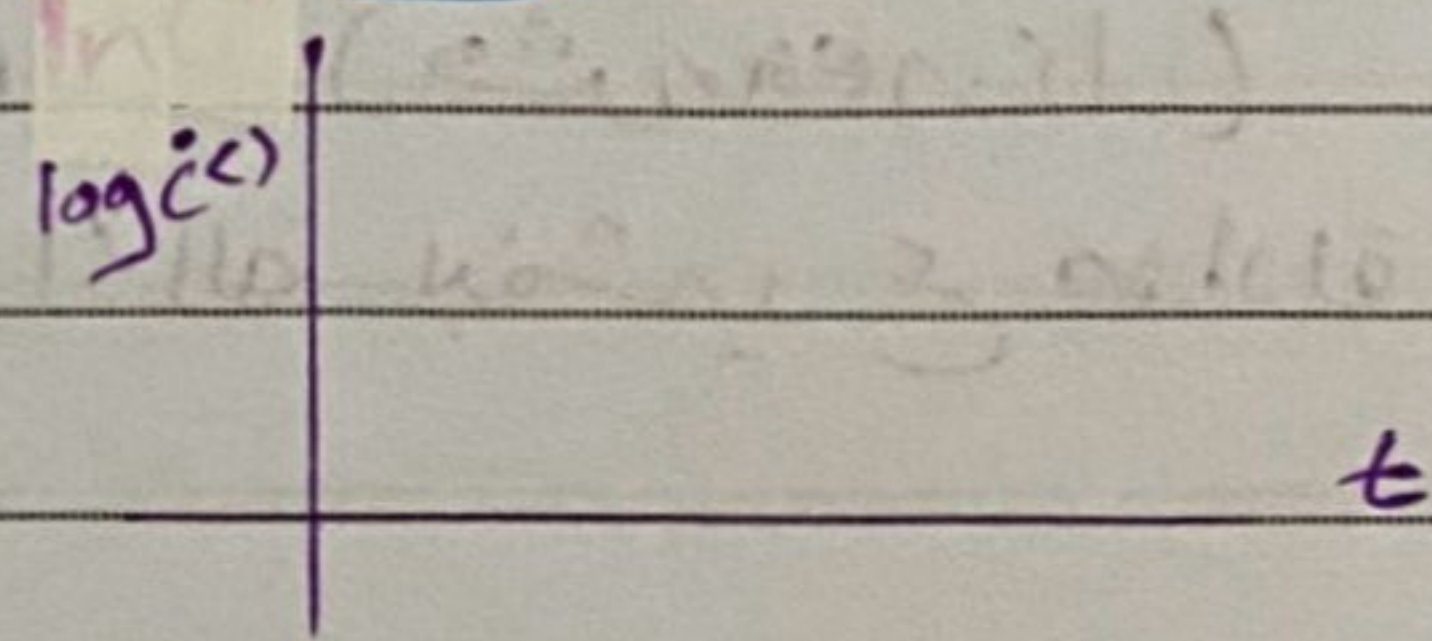


$$\text{Slope} = \frac{\ln(C_0) - \ln(C_2)}{t_0 - t_2}$$

ع خردن القیم ای هونر حوالبهم

یتطلع معی رسمه شکل linear

عن طریق log



فقد صی (ln) بنحول (log)
 وره هون ص رسم رخ
 یتطلع معی رسمه شکل (linear)

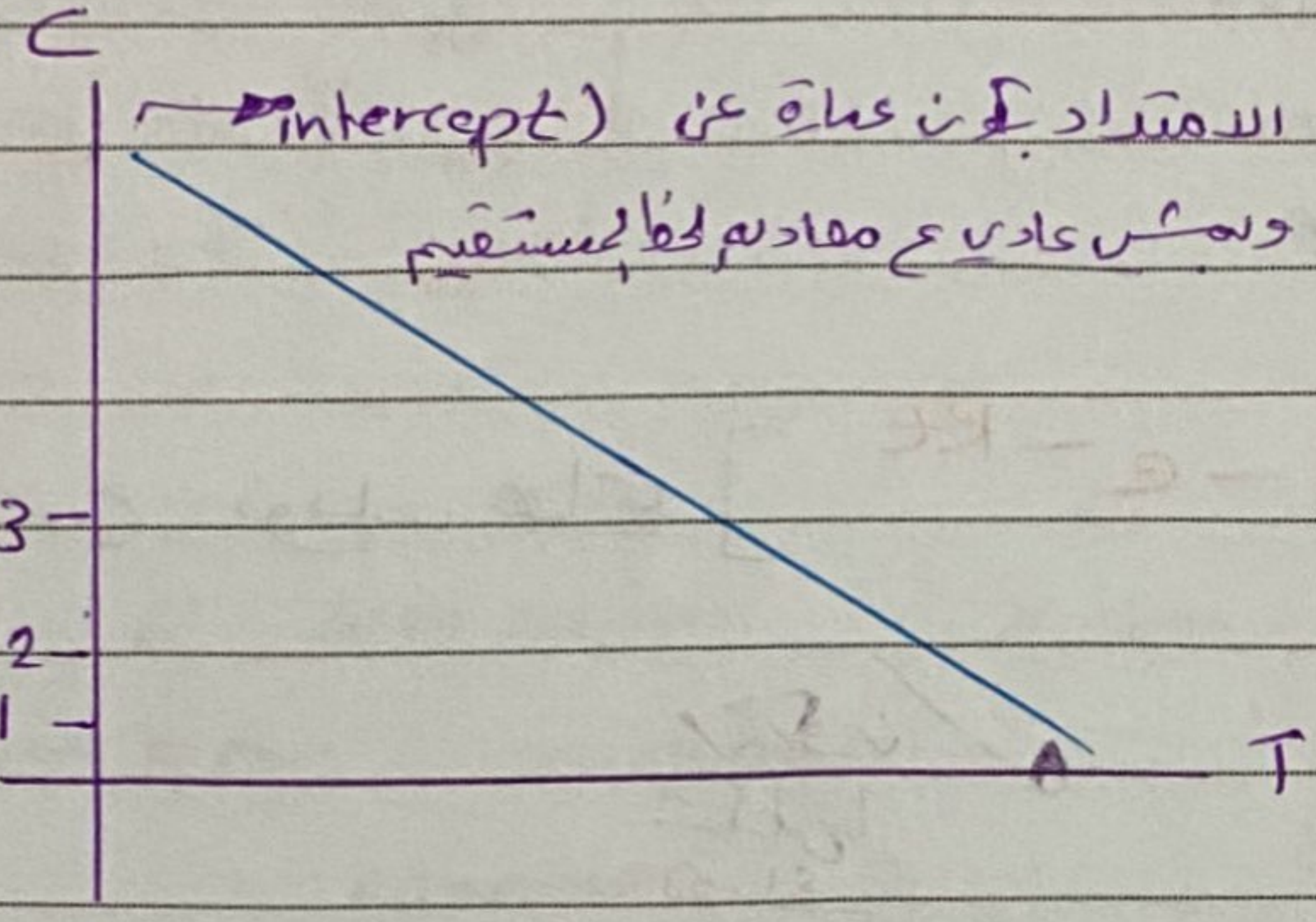
$$\text{Slope} = \frac{\log(C_0) - \log(C_2)}{t_0 - t_2}$$

كل طريقة الى كنا نختار فيها فيل شوي يتحسوا ح
 = صبيح وقتكم صبح (٢٢) ؟

عالموا ونوف طرفه ثابته ووا هو (Semi-log)

القيم الموجود
 ع (y) انا
 مثلا محتاج
 اروح ابهرم
 وادخل ال
 تاخرم .

تلاحظ ان الارقام
 ال Semi-log
 يتاخرها انه بينهم مش
 متساوية . لانه اصلا
 هو محوله ل Log



معلومة (١) :-

* في Zero order بس ار مواع Rectangular graph
 بملح

* في first order بس ار مواع Rectangular graph
 بملح Curve (خط linear)

ومستعمل بواي الحالة بنفس ع مفادهم لخط المستقيم

معلومة (٢) :-

هناك بار ln و log كفا فرق المصادات و ln
 بال semi log الفرق بالمصادات كان ب (C) الي هو
 intercept.

معلومة (٣) :-
 Zero order يتكون الازدج ١%
 First order يتكون الازدج 99%

مردم حد آء عرف ال Slope -8

$$C_t = C_0 - k_0 t$$

$$\text{Slope} = -k_0$$

$$\ln [C_t] = \ln [C_0] - kt$$

$$\text{Slope} = -k$$

الجيل فقط لعادة خط مستقيم
لبنه ببار منه Rectangular
طالع وفي linear

$$\text{Log} [A_t] = \text{Log} [A_0] - \frac{kt}{2.303}$$

$$\text{Slope} = \frac{-k}{2.303}$$

$t_{1/2}$:-

كون عنها concentration نصف لتركيز الاصللي

صياغة رياضيات الشوائبة

PK models and basic PK calculations

PK theory material lecture.2

بسم الله الرحمن الرحيم

* بكلمات الظلال باللايات فمبين لهم عبارة عن ال keyelements للاختبار.

* في اول كم صايد صكتا، لذكورة أمجاد ما المصنونا (رح أمكيا من بين المهم مع لايات).

* (First order / Zero order) فمبين كثير وليتي عليهم اسئلة كثيرة بالامتحان

[طبيب اول اشيا ادرسو اعن الدقتر وارهبوا ل السلايات هتلاقوا كل شئ

مفهوم باللايات ان شاء الله ن

Importance of PK

أول اشيا مع مستوى كميون بعد بين الانسان

* Knowledge of the **pharmacokinetic** behavior of **drugs** in **animals** and **human** is crucial in drug development, both to make sense of preclinical **toxicological** and pharmacological data and to decide on an appropriate dose and dosing regimen for clinical trials.

* Drug regulators have developed concepts such as **bioavailability** and **bioequivalence** to support the licensing of generic versions of drugs produced when **originator** products lose patent protection.

بإعادة الاختراع (تقارن لدوا، بقديم مع لدوا، كيدي)

انفنا انه bioavailability

تفرد عن absorption.

كم حجم أهد من صاير كبركة.

صرتة هذا الدوا من المكان الي اعطيت في الدوا systemic circulation

absolute

relative

بدي اقارن لدوا مع اي route.

بدي اقارن الدوا مع IV etc

بدي اشوا ال effect.

Importance of PK

- Understanding the general principles of pharmacokinetics is also important in clinical practice, to understand the **rationale of recommended dosing regimens**, to interpret drug concentrations for TDM and to adjust dose regimens rationally, and to identify and evaluate possible drug interaction.
- In particular, intensive-care specialists and anesthesiologists dealing with a severely ill patient often need to individualize the dose regimen depending on the urgency of achieving a therapeutic plasma concentration, and whether the pharmacokinetic behavior of the drug is likely to be affected by illness such as renal impairment or liver disease.

Basic Pharmacokinetics and Pharmacokinetic model

- Drugs are in a dynamic state within the body as they move between tissues and fluids, bind with plasma or cellular components, or are metabolized. The biologic nature of drug distribution and disposition is complex, and drug events often happen simultaneously.
- Such factors must be considered when designing drug therapy regimens. The inherent and infinite complexity of these events requires the use of mathematical models and statistics to estimate drug dosing and to predict the time course of drug efficacy for a given dose.

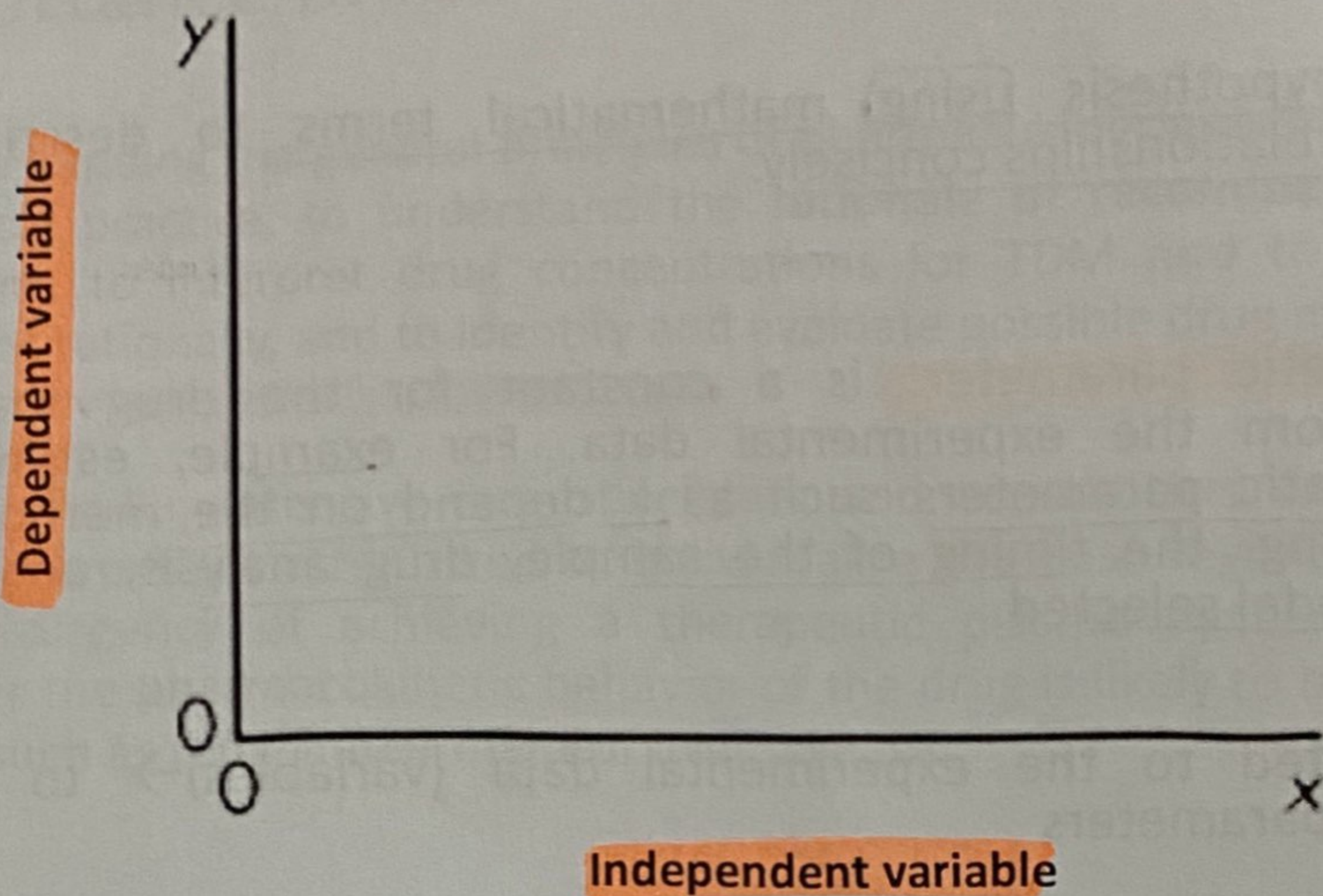
PK models

- **Model:** a hypothesis using mathematical terms to describe quantitative relationships concisely.
- **Pharmacokinetic parameter:** is a constant for the drug that is estimated from the experimental data. For example, estimated pharmacokinetic parameters such as k depend on the method of tissue sampling, the timing of the sample, drug analysis, and the predictive model selected.
- Model is fitted to the experimental data (variables) → to estimate key parameters

Basic pharmacokinetics and pharmacokinetic model

- A pharmacokinetic function relates an independent variable to a dependent variable, often through the use of parameters.
- For example, a pharmacokinetic model may predict the drug concentration in the liver 1 hour after an oral administration of a 20-mg dose. The independent variable is the time and the dependent variable is the drug concentration in the liver. Based on a set of time-versus-drug concentration data, a model equation is derived to predict the liver drug concentration with respect to time.
- Such [mathematical models] can be used to describe and predict drug concentrations in the body as a function of time

Graphs



Compartmental PK

- Theoretically, an unlimited number of models may be constructed to describe the kinetic processes of drug absorption, distribution, and elimination in the body, depending on the degree of detailed information considered.
- A very simple and useful tool in pharmacokinetics is compartmentally based models.
- It is common and useful practice to divide objects of scientific interest into smaller conceptual units until the underlying mechanisms become apparent.

PK models

- **Compartmental models** are used, and they are simplified models in which the body is conceived to be composed of mathematically interconnected compartments (depicted as boxes)
- **Compartmental model are two types:**
 - A. Empirically-based conventional models
 - B. Physiologically-based pharmacokinetic (PBPK) models

Compartmentally-based model

* Simple

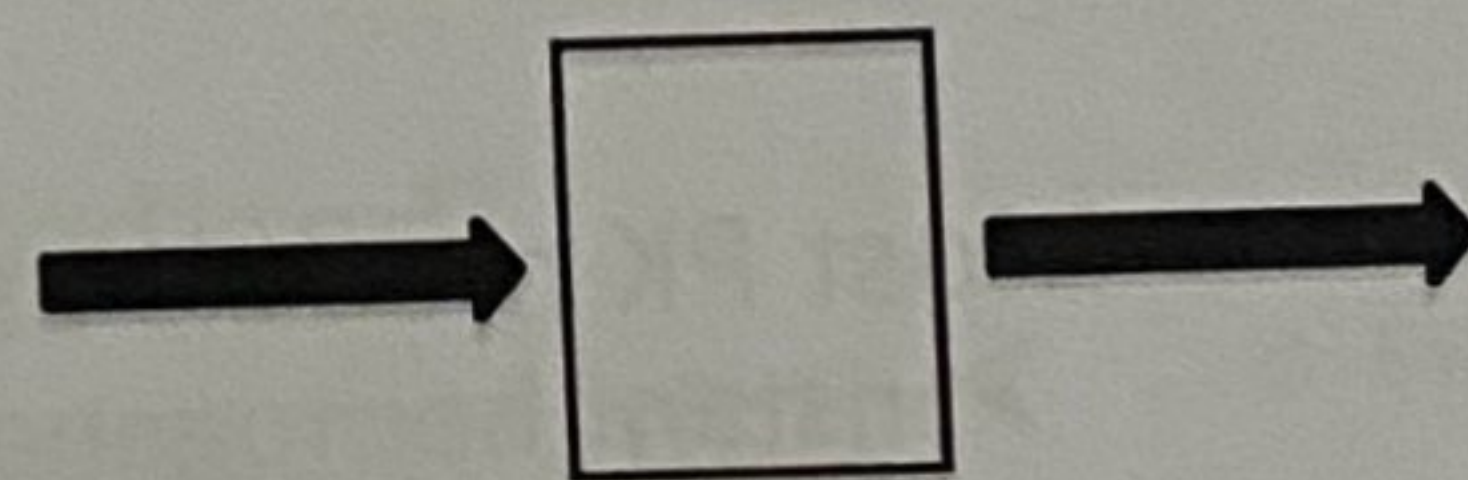
* The [drug] in the compartment for a given dose is determined by :

1- The fluid volume (V) of the comp.

2- The elimination rate of drug per unit of time (k).

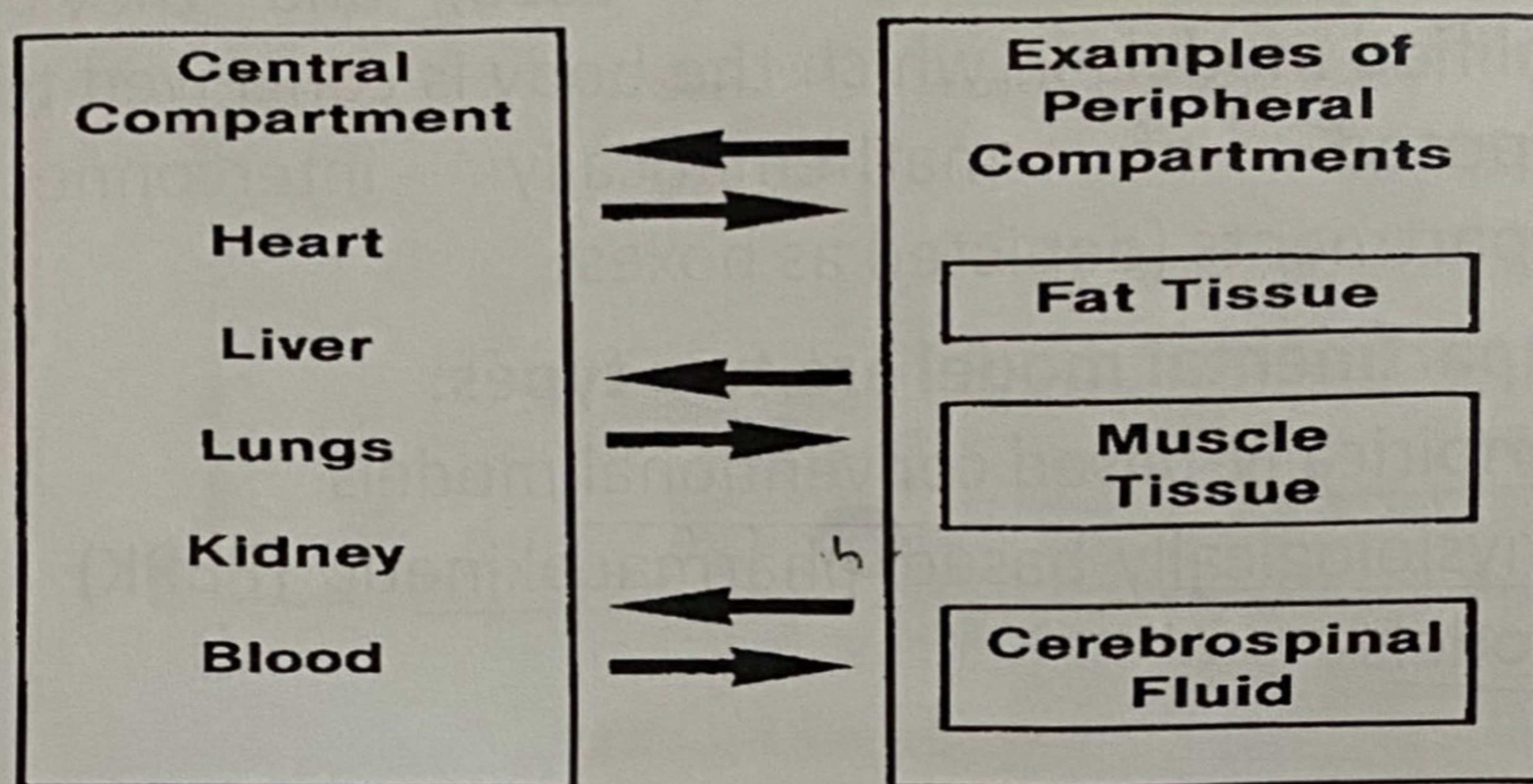
* One-compartment, two-compartment, or multi-compartment model.

* The compartments do not represent a specific tissue or fluid but may represent a group of similar tissues or fluids



Cont,

- Organs and tissues in which drug distribution is similar are grouped into one compartment.



Cont,

- Most PK models assume
 - instant homogeneous distribution of drug within each compartment "well-stirred"
 - and elimination rate constant does not change over time
- Model parameters (e.g. V and k) are determined experimentally from a set of drug concentrations collected over various times
- \uparrow parameters \rightarrow \uparrow complexity of the model
 - \rightarrow \uparrow data needed
- Compartmental PK models are useful esp. when little information is known about the tissues

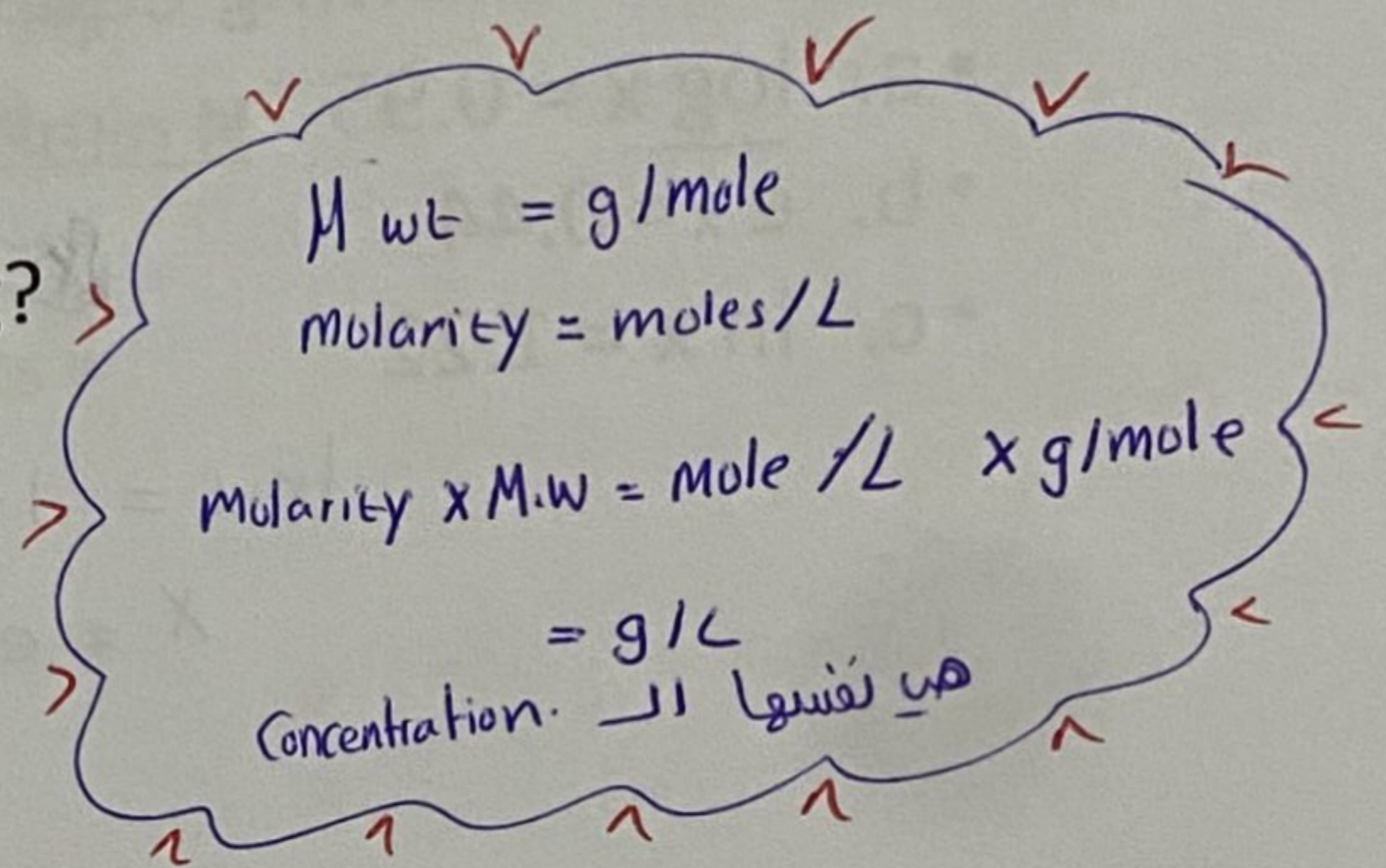
الوحدات / التحويل
 هدير الـ ٥٥٥٥
 كثير مهمين

1g = 1000 mg
 1mg = 1000 µg
 1L = 1000 ml
 1ml = 1000 µl

Mathematical review

*amount $\xrightarrow[\text{نفسها}]{\text{ص}}$ mass (g/mg/µg)

- Do you know? / Can you?
- The units used usually for concentration?
- Calculate the amount of the drug in a solution with a known drug concentration and solution volume? In different volumes?
- How to convert units?
- e.g. mg/mL to g/L and µg/µL.
- Calculate the MW of the drug?
- Units of concentration in M?



* كل ما يتحل و الـ
 الـ في قطرات (ملي لترات)
 عشات ما تحرب بالقول

طريقة حساب الـ concentration :-

[صاير الـ في يحل في غيرها بالكايكات]

① $\frac{mass}{V}$

② $molarity \times M.W$ أو امزج

cont

- If a known amount of drug was added and resulted in 0.6 mg/L (for example) concentration of the solution, what volume of water was in the container?

0.6 mg/L

- For the following equation: $y = 1.8x + 2$

a. Sketch a plot of the equation.

b. If $x = 0.5$, what is y ?

c. If $y = 4.6$, what is x ?

cont

- What is the slope of the line that connects the following two points?

• 1) $x=5, y=8.6$

• 2) $X=0.6, y=4.5$

- Solve the following equations for x:

• a. $\log x = 0.95$

$10^{0.95}$

• b. $e^x = 0.44$

$e^x = 0.44 \times \ln^1$ \ln نوحه

• c. $\ln x = 1.22$

$x = \ln(0.44)$

$\ln x = 1.22$

$x = e^{1.22}$

Basic exponent laws

- Expression: $N=b^x$

Laws of Exponents

$$a^x \cdot a^y = a^{x+y}$$

$$(a^x)^y = a^{xy}$$

$$\frac{a^x}{a^y} = a^{x-y}$$

$$\frac{1}{a^x} = a^{-x}$$

$$\sqrt[y]{a} = a^{1/y}$$

Example

$$10^2 \cdot 10^3 = 10^5$$

$$(10^2)^3 = 10^6$$

$$\frac{10^2}{10^4} = 10^{-2}$$

$$\frac{1}{10^2} = 10^{-2}$$

$$\sqrt[3]{a} = a^{1/3}$$

Logarithms

- If $N=b^x$, then $\log_b N = x$
- Common logarithms (\log) = logarithms using base 10
- Natural logarithms (\ln) use the base e

$$e \approx 2.718$$

$$\underline{2.303 \log N = \ln N}$$

- A logarithm does not have units = dimensionless

Laws of Logarithms

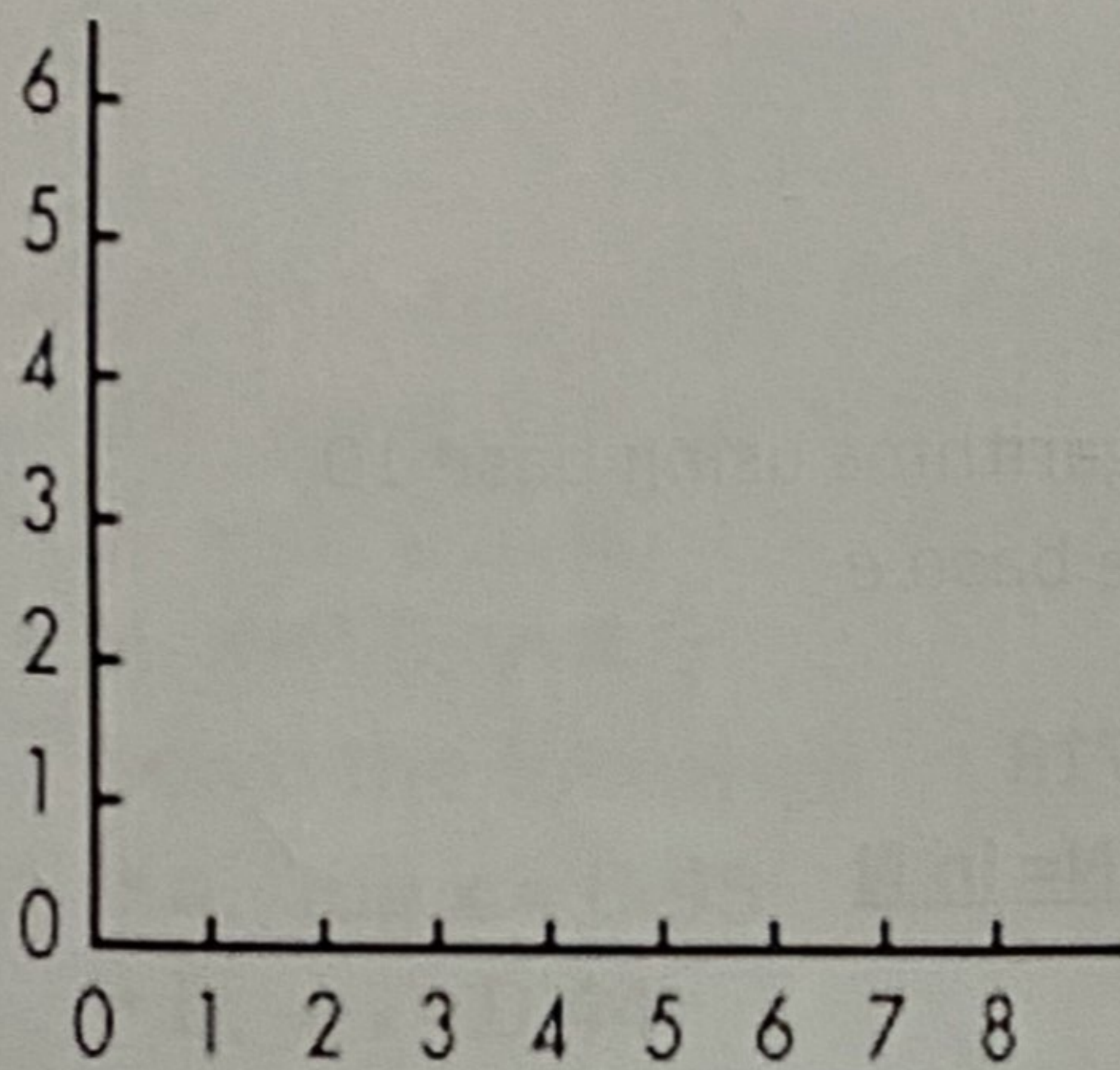
$$\log ab = \log a + \log b$$

$$\log \frac{a}{b} = \log a - \log b$$

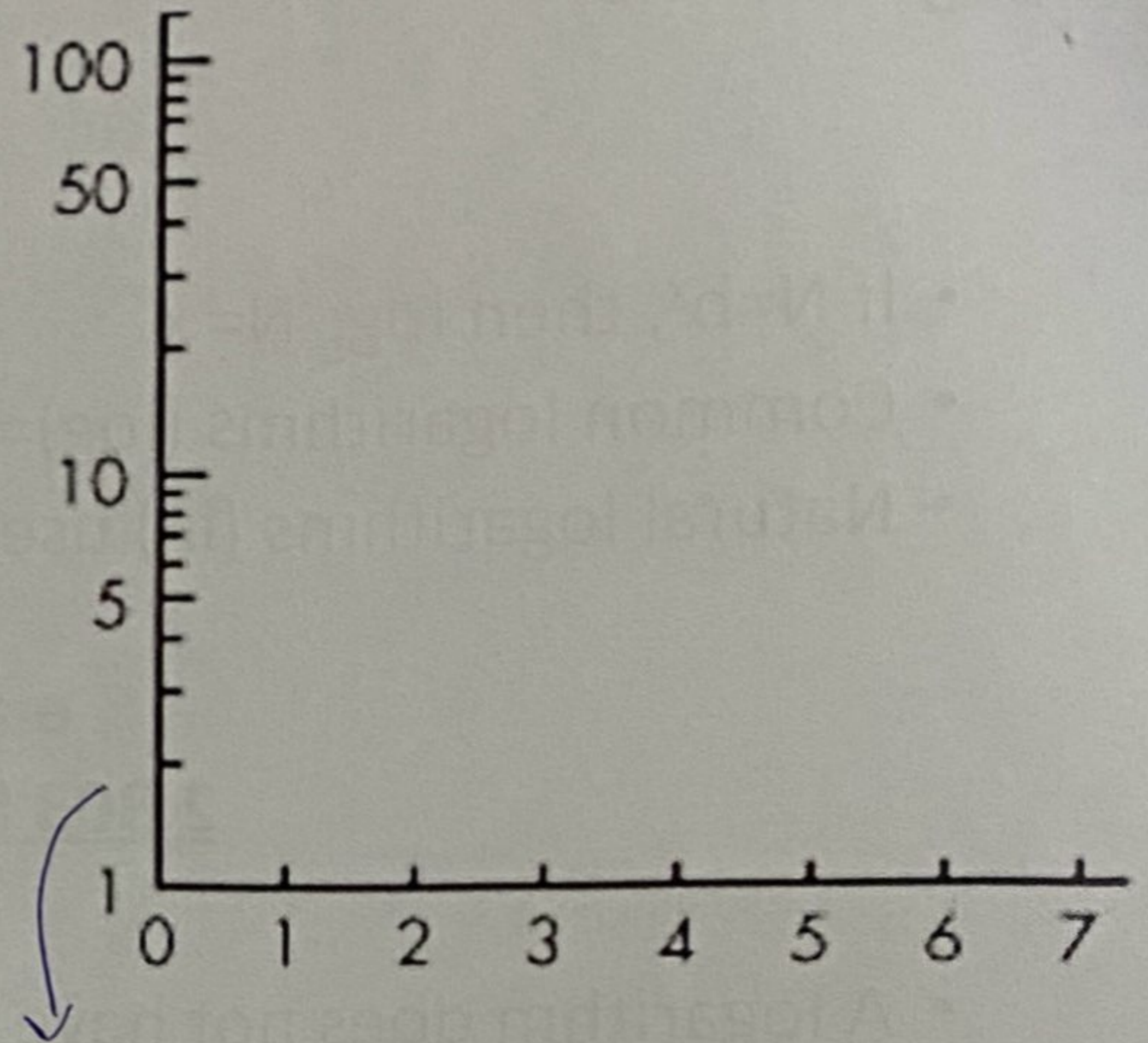
$$\log a^x = x \log a$$

$$-\log \frac{a}{b} = +\log \frac{b}{a}$$

- Your calculator \rightarrow \log , \ln , anti- \log and anti- \ln



Rectangular coordinate graph



Semilog coordinate graph

بملاحظة
بالـ
Semilog
المسافة بين الأرقام
مثلاً متساوية
لأنه أصلاً أخذنا
الـ (log)

cont

- Straight line eqt.
- **$y = ax + b$**
- Slope? intercept?
- For a given straight line \rightarrow calculate slope
(on rectangular or semilog graph)

• **REMEMBER:**

In semilog graphs : the y values are plotted on a logarithmic scale **without** performing actual logarithmic conversions, whereas the corresponding x values are plotted on a linear scale

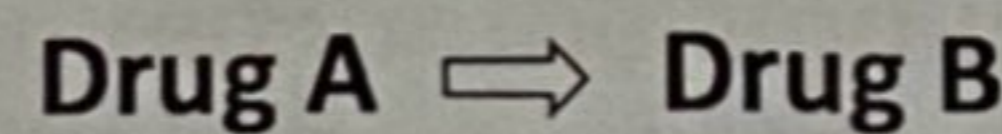
PK units

(مركبات جزيئية)

PARAMETER	SYMBOL	UNIT	EXAMPLE
Rate	$\frac{dD}{dt}$	$\frac{\text{Mass}}{\text{Time}}$	mg/hr
	$\frac{dC}{dt}$	$\frac{\text{Concentration}}{\text{Time}}$	$\mu\text{g/mL hr}$
Zero-order rate constant	k_0	$\frac{\text{Concentration}}{\text{Time}}$	$\mu\text{g/mL hr}$
		$\frac{\text{Mass}}{\text{Time}}$	mg/hr
First-order rate constant	k	$\frac{1}{\text{Time}}$	1/hr or hr ⁻¹
Drug dose	D_0	Mass	mg
Concentration	C	$\frac{\text{Mass}}{\text{Volume}}$	$\mu\text{g/mL}$
Plasma drug concentration	C_p	$\frac{\text{Drug}}{\text{Volume}}$	$\mu\text{g/mL}$
Volume	V	Volume	mL or L
Area under the curve	AUC	Concentration x time	$\mu\text{g hr/mL}$
Fraction of drug absorbed	F	No units	0 to 1
Clearance	σ	$\frac{\text{Volume}}{\text{Time}}$	mL/hr
Half-life	$t_{1/2}$	Time	hr

Rates and Orders of Reactions

- The rate of a chemical reaction of process is the velocity with which the reaction occurs. Consider the following chemical reaction:



- If the amount of drug A is decreasing with respect to time (that is, the reaction is going in a forward direction), then the rate of this reaction can be expressed as:

$$- dA/dt$$

- Since the amount of drug B is increasing with respect to time, the rate of the reaction can also be expressed as:

$$+ dB/dt$$

- The rate of a reaction is determined experimentally by measuring the disappearance of drug A at given time intervals.

Zero order reaction

• Rate constants and order of Rx

- Order of the Rx is the way that the [drug] affects the rate of the reaction or process
- Zero-order reactions or first-order reactions

$$- dA/dt = k \cdot A^n$$

$n \rightarrow$ determine the rate of the reaction

* Zero order reaction

- Drug A is decreasing at a constant time interval t
 $n = 0$

$$\begin{aligned} dA/dt &= -k_0 \cdot A^0 \\ dA/dt &= -k_0 \end{aligned}$$

k_0 : is the zero-order rate constant

Unit of k_0 : mass/time (e.g. g/h)

$$dA/dt = -k_0$$

\rightarrow Rearrange

\rightarrow Integrate

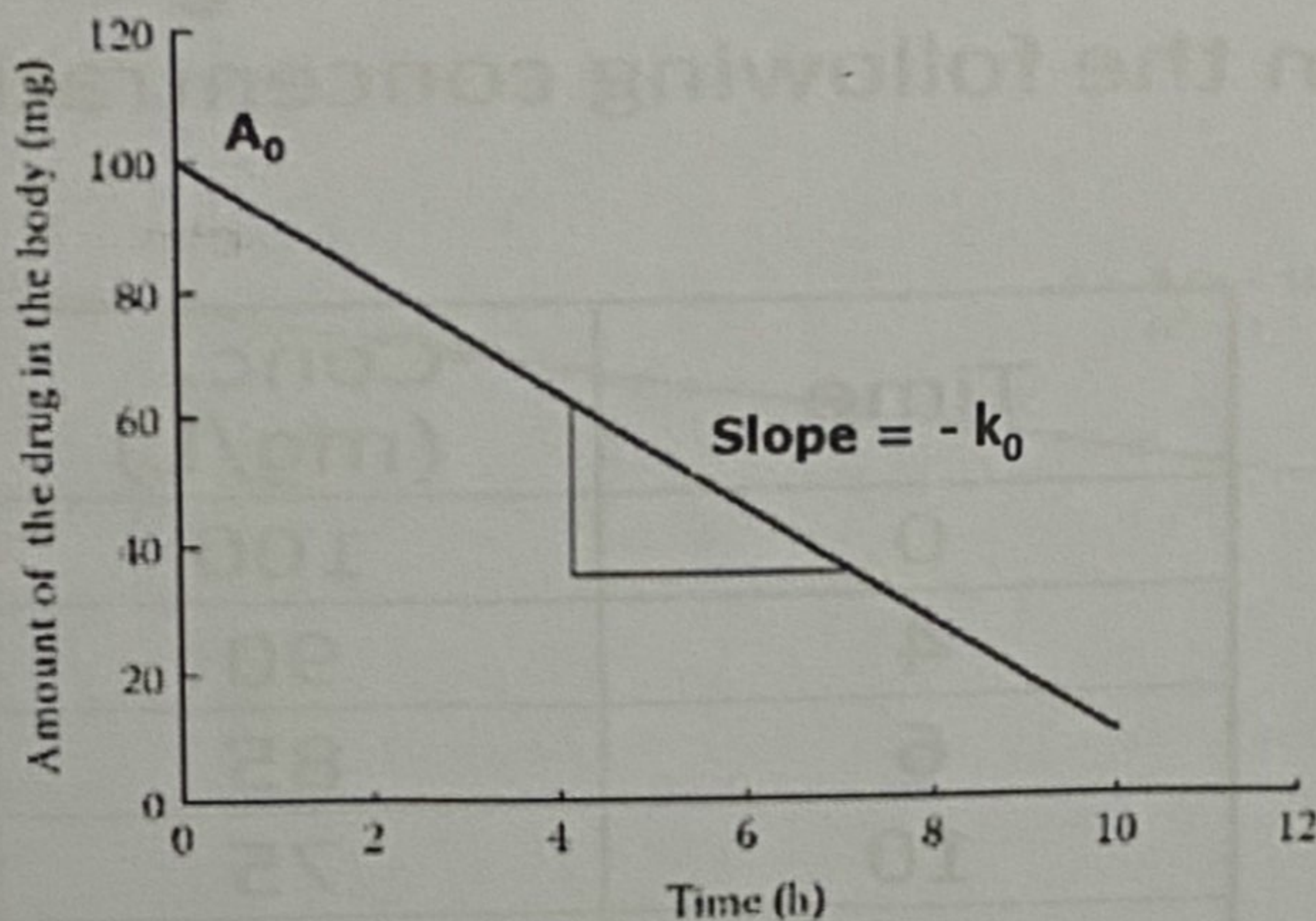
$$A = -k_0 t + A_0$$

A:

k_0 :

A_0 :

$$A = -k_0t + A_0$$



Concentration $\rightarrow C = -k_0t + C_0$

Half-life($t_{1/2}$)- Zero order

- The period of time required for the amount (A) or concentration (C) of a drug to decrease by one-half.
- Zero-order half-life:

$$t_{1/2} = (0.5 A_0) / k_0$$

- The zero-order $t_{1/2}$ is proportional to the initial amount or concentration of the drug (A_0) and is inversely proportional to the zero-order rate constant (k_0).
- The time required for the amount to decrease by one-half is NOT constant

Zero-Order Reactions: example

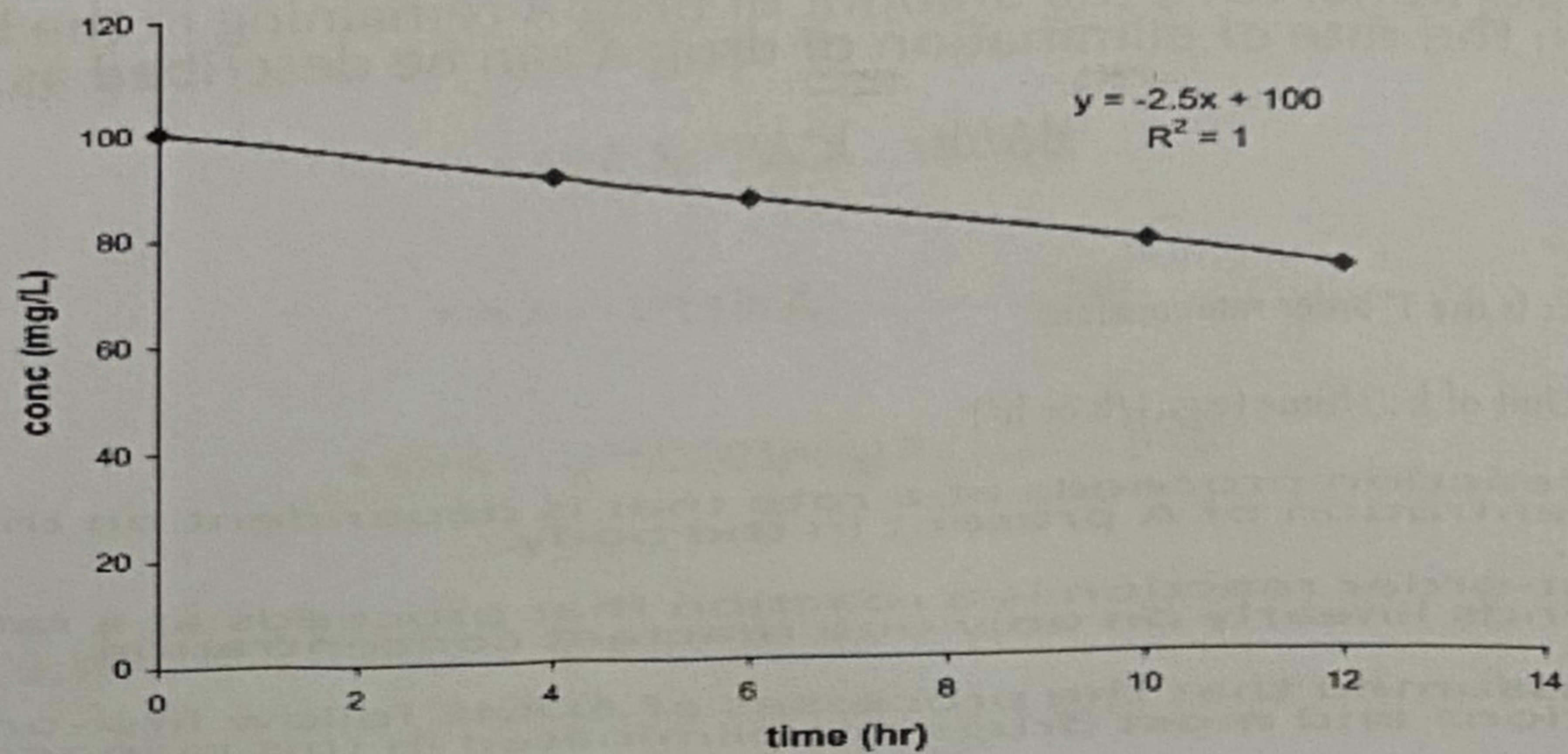
- The administration of a 1000 mg of drug X resulted in the following concentrations:

Time	Conc. (mg/L)
0	100
4	90
6	85
10	75
12	70

Zero-Order Reactions: example

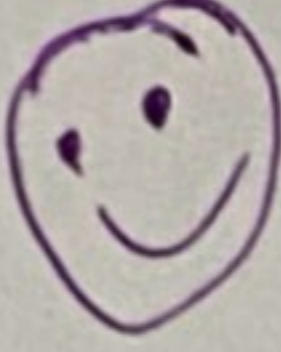
- What is the order of the elimination process (zero or first)?
- What is the rate constant?

Zero-Order Reactions: example



Zero-Order Reactions: example

- Since the decline in drug conc. displayed a linear decline on normal scale, drug X has a zero order decline.
- From the equation displayed on the figure (intercept = 100, slope = -2.5)
- The elimination rate constant is 2.5 mg/hr

فہم لہفتہ بشو فوا حفظہوم 

First order reaction

- If the amount of drug A is decreasing at a rate that is proportional to A, the amount of drug A remaining in the body, then the rate of elimination of drug A can be described as:

$$dA/dt = -k \cdot A$$

- k: is the 1st order rate constant
- Unit of k: 1/time (e.g. 1/h or h⁻¹)
- The reaction proceeds at a rate that is dependent on the concentration of A present in the body.
- A first-order reaction is a reaction that proceeds at a rate that depends linearly on only one reactant concentration.
- It is assumed that the processes of ADME follow first-order reactions and **most drugs** are eliminated in this manner

First order reaction

- The amount of a drug with first order elimination is described according to the following equation:

$$A = A_0 e^{-k \cdot t}$$

where A is the amount of drug in the body, A₀ is the amount of the drug at time zero (equal to the dose in the case of IV bolus)

- This equation is equivalent to:

$$\ln(A) = \ln(A_0) - k \cdot t$$

- $dA/dt = -k \cdot A$

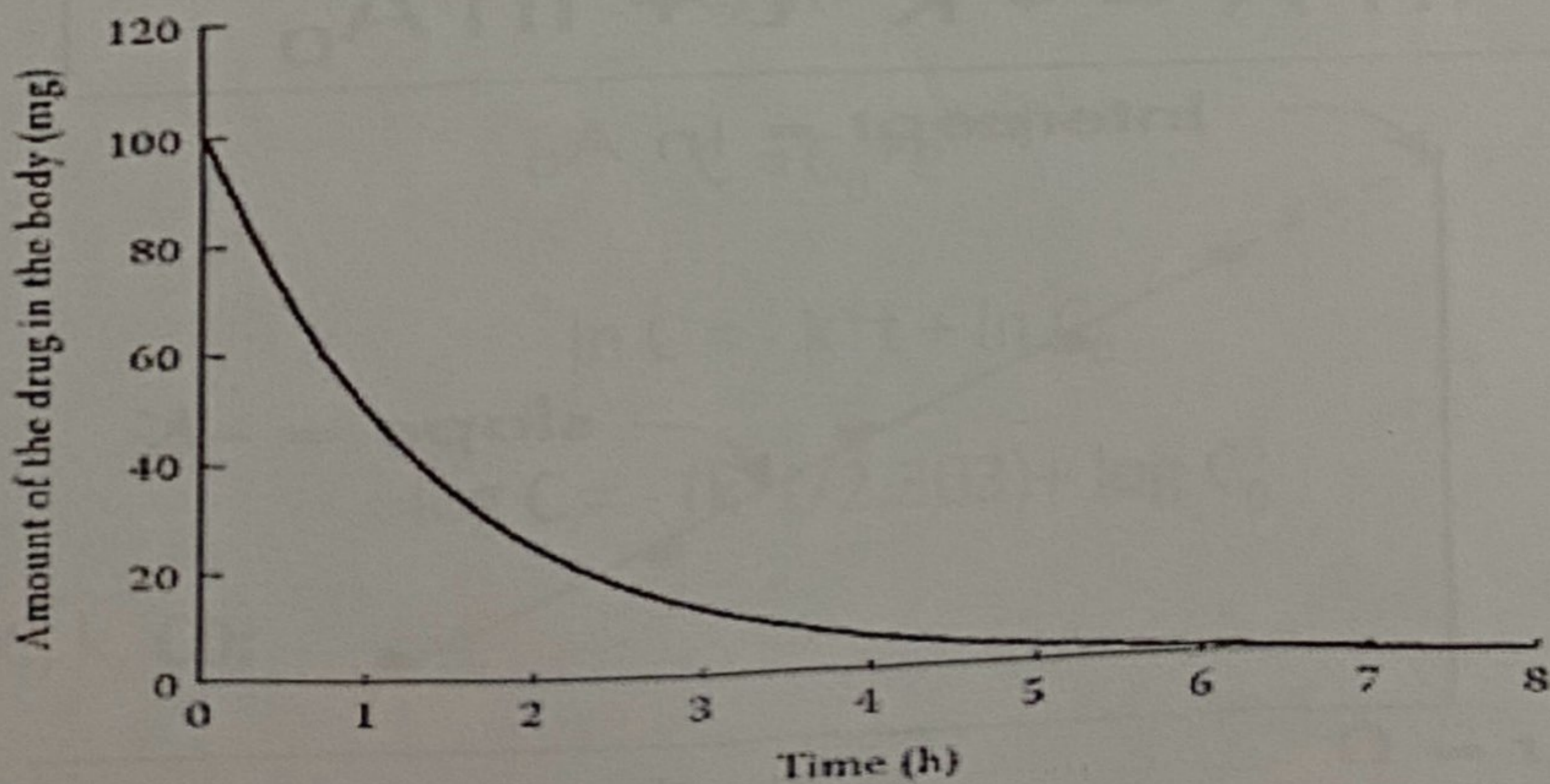
- $A = A_0 \cdot e^{(-kt)} \dots \dots \dots [e]$

- $\ln A = -k \cdot t + \ln A_0 \dots \dots \dots [\ln]$

- $\log A = - (k \cdot t / 2.303) + \log A_0 \dots \dots \dots [\log]$

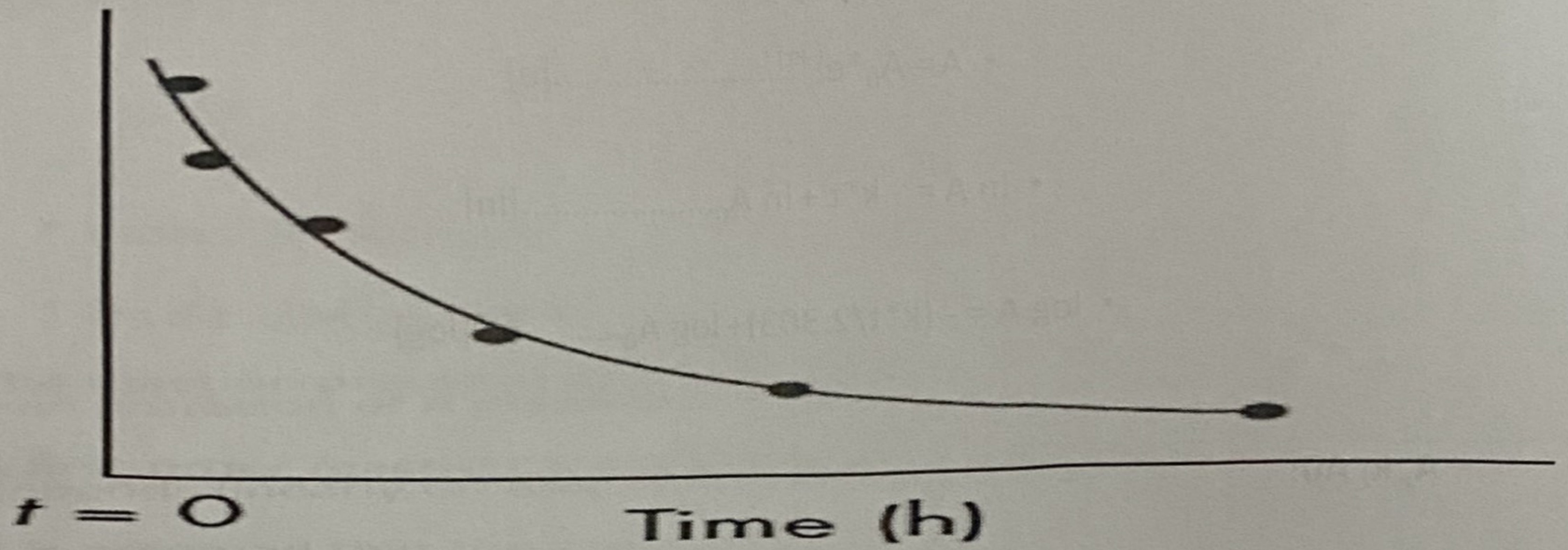
- A, k, A0:

Drug with first order kinetic



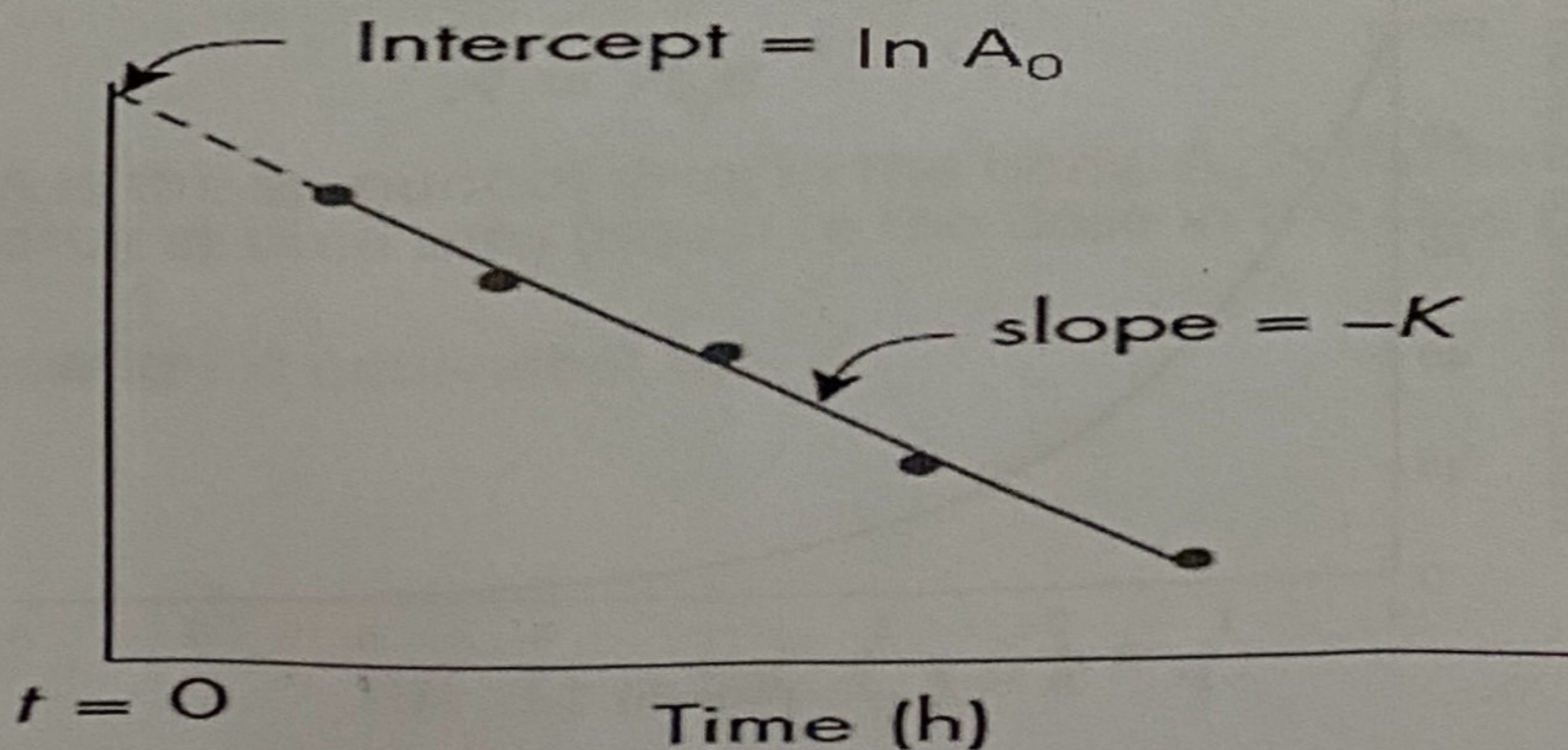
Rectangular coordinate graph

$$A = A_0 * e^{(-kt)}$$



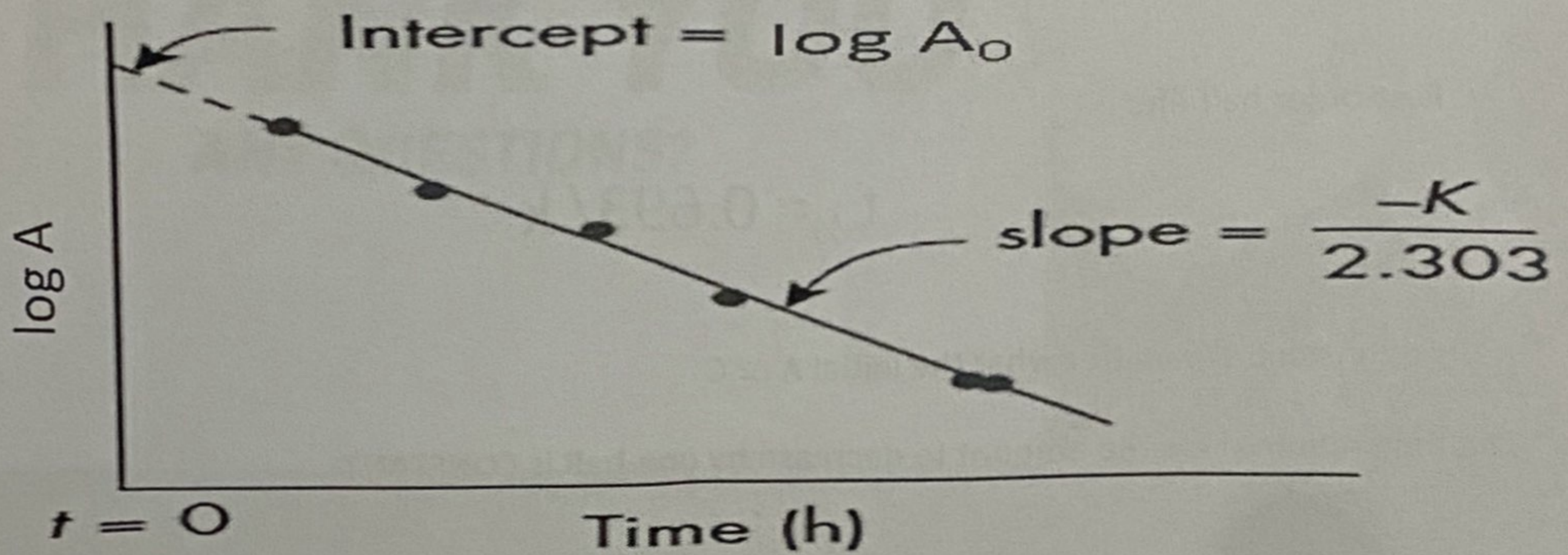
Semilog coordinate graph

$$\ln A = -k * t + \ln A_0$$



semilog coordinate graph

$$\log A = - (k \cdot t / 2.303) + \log A_0$$



cont

$$dC/dt = -k \cdot C$$

$$C = C_0 \cdot e^{(-kt)}$$

$$\ln C = -k \cdot t + \ln C_0$$

$$\log C = - (k \cdot t / 2.303) + \log C_0$$

• C, k, C₀:

cont

- The period of time required for the amount (A) or concentration (C) of a drug to decrease by one-half.

- First-order half-life:

$$t_{1/2} = 0.693 / k$$

- $t_{1/2}$ is a constant. No matter what the initial A or C
- **The time required for the amount to decrease by one-half is CONSTANT**

**BEHIND EVERY
SUCCESSFUL PERSON,
THERE'S A LOT OF
UNSUCCESSFUL YEARS**