

# Pharmaceutical Calculations

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- One of the greatest potentials for error in prescription compounding is in the area of pharmacy math or pharmacy calculations
- A misplaced decimal or “estimated” value for a medication can have serious consequences including death
- There is no excuse for ignorance in this area and an individual unprepared to do the necessary calculations should not be involved in pharmaceutical compounding

# • Numbers and Numerals

• Number: a total quantity or amount

• Numeral: a word, sign, or group of words and signs representing a number:

• Roman Numerals:

A numeral system of ancient Rome based on letters of the Alphabet

I: one, V: five, X: ten, L:50, C:100, D: 500, M:1000

The first ten Roman numerals are: I, II, III, IV, V, VI, VII, VIII, IX, X

XXX:?	I	1	V	5	IX	9
LX:?	II	2	VI	6	X	10
	III	3	VII	7		
	IV	4	VIII	8		

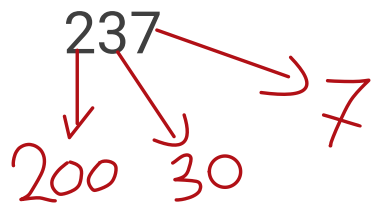
# Numbers and Numerals

- Arabic Numerals:

Most common symbols used to represent numbers

The basic symbols called digits are: 0,1,2,3,4,5,6,7,8,9

The position of a digit determines its value



# Decimals

الخواص العشرية

- A decimal is a fraction whose denominator is 10 or a multiple of 10  
كسر مقامه 10 أو مضاعفها
- e.g.:
- $0.7 = 7/10$
- $0.06 = 6/100$
- $0.006 = 6/1000$
- $0.3 = 0.30 = 0.300$
- $0.3 = 3/10$
- $0.03 = 3/100$
- $0.003 = 3/1000$

# Using ratios, proportions, and percentages in dosage calculations:

- Example: a vial of Rociphen contains 100 milligrams per milliliter. How many milliliters should be given to a patient to obtain 650 milligrams?
- 100 mg    1 ml  
650mg    X ml
- X= 6.5 ml

$$100 \text{ mgm} \rightarrow 1 \text{ mL}$$

$$650 \text{ mgm} \rightarrow X$$

$$\frac{650 \times 1}{100} = 6.5 \text{ mL}$$

# Using ratios, proportions, and percentages in dosage calculations:

- Always look for what is being asked:
- Number of doses
- Total amount of drug
- Size of dose
- Given any two of the above, you can solve for the third
- General Formula:

$$* \text{Number of doses} = \text{Total amount} / \text{Size of dose} *$$

$$\text{Total amount} = \text{number of doses} \times \text{size of dose}$$

$$\text{Size of dose} = \text{Total amount} / \text{number of doses}$$

# Using ratios, proportions, and percentages in dosage calculations:

- Example: how many milligrams of theophylline does a patient receive per day, if the prescription indicates 300mg tid?

وصفة طبية

ter in die  
(three per day)

- X total amount = 3 X 300mg

X = 900 mg total

- How much propranolol will a patient receive every 6 hours if he is to receive 160 mg per day?

X dose = 160 mg / 4 doses

X = 40 mg

24 Hours per day

$$\frac{24}{6} = 4$$

160 mg in 4 times

$$\frac{160}{4} = 40 \text{ mg every } 6 \text{ hours}$$

# Using ratios, proportions, and percentages in dosage calculations:

$$\frac{120}{5} = 24$$

Solve by your self:

- How many doses are in 120ml of Benadryl Elixir, if one dose is 5ml? (Answer 24 doses)
- When erythromycin lactobionate is reconstituted, it yields a concentration of 50 mg/ml. How many milliliters are required to give a 0.9 gm dose? (Answer: 18 ml)... be careful for the unit

\* $\frac{1}{1000}$ \*  
 $50 \text{ mg} \rightarrow 50 * 10^{-3} \text{ gm}$   
 $\frac{50}{1000} = 0.05 \text{ gm}$

$$\begin{array}{l} 0.05 \text{ gm} \rightarrow 1 \text{ mL} \\ 0.9 \text{ gm} \rightarrow X \end{array}$$

$$X = \frac{0.9}{0.05} = 18 \text{ mL}$$

# Percentage

- $45\% = 45/100 = 0.45$
- It is not correct to divide by 100 and use the percent sign at the same time:

e.g.  $25\% = 25/100$  and not  $25\%/100$

- To calculate a percentage of a percentage:

50% of 40% is:

$$\underline{(50/100) \times (40/100)} = 0.5 \times 0.4 = 0.2 = 20/100 = 20\%$$

25% of a  
1% Solution  
 $= \frac{25}{100} \times \frac{1}{100}$

# Mass percentage (fraction)

- Wt%: Percent weight-in-weight (w/w) expresses the number of grams of a drug or active ingredient in 100 grams of a mixture (g/g)
- If a bottle contains 40 gm of ethanol and 60 gm of water then it contains 40% ethanol by mass or 0.4 mass fraction ethanol

$$\text{total mass} = 40 + 60 = 100 \text{ gm}$$

$$\text{mass percent} = \frac{\text{mass of solute}}{\text{total mass}} \times 100$$

40 gm ethanol per 100 gm

# Mass percentage (fraction)

- Examples: Prepare 500 ml of Phenol glycerin

Phenol: 150 gm

Glycerin 850 gm

Weight per ml of glycerin: 1.25g

$$\text{Mass} = \text{density} \times \text{Volume} \\ = 1.25 \times 500$$

So for preparing 500 ml of phenol glycerin the quantity of glycerin required =  $500\text{ml} \times 1.25 = 625\text{ gm}$

- Quantity of phenol required =  $150 \times 625 / 850 = 110\text{ gm}$
- So for preparing 500 ml of phenol glycerin the formula becomes:
- Phenol 110 g
- Glycerin 625 g

$$\begin{array}{l} 150\text{ gm} \rightarrow 850\text{ gm} \\ \times \\ \hline \rightarrow 625\text{ gm} \\ X = \frac{625 \times 150}{850} \end{array}$$

# Phenol Glycerin IP Indian pharmacopia

- Method: Phenol and glycerin are mixed in a beaker. The beaker is warmed gently until it becomes a solution.
- Use: Local anesthetic and local antiseptic. Phenol glycerin is used to prepare Phenol Gargle and Phenol Glycerin Ear Drop.
- Cautions: Phenol Glycerin when diluted with water becomes caustic so it is diluted with glycerin.
- Label: FOR EXTERNAL USE ONLY should be displayed in the label.

مخدر موضعي

مطهر موضعي

متجانس

بعد الزوبان

بالاستخدام  
التسخين

← غسول غرغرة للحلق

← قطرات اذن

التحذيرات

مادة كاوية

$$\text{Water mass required} = 1 \times 500 = 500 \text{ gm}$$

- Examples:

Prepare 500 ml of sugar solution

Sugar 100 gm       $100 \text{ gm} \rightarrow 900 \text{ gm}$

Water 900 gm       $X \rightarrow 500 \text{ gm}$

Weight per ml of water = 1 gm

The quantity of water required ? (500g)

The quantity of sugar required ? (55 g)

$$X = \frac{500 \times 100}{900} = 55.5 \text{ gm}$$

↓  
Mass of  
Sugar  
required

# Mass-volume percentage:

- Weight-in-volume (w/v) percentage: expresses the number of grams of a drug or active ingredient in 100 milliliters of a mixture
- Often used for solutions made from a solid solute dissolved in a liquid
- For example a 40% w/v sugar solution contains 40 gm of sugar per 100 ml of resulting solution

$$w/v \% = \frac{\text{gm of solute}}{100 \text{ ml of solution}}$$

# Mass-volume percentage:

- Example:

Calculate the quantity of sodium chloride required to prepare 400 ml of 2 (w/v)% solution

2g NaCl 100 ml solution

X 400 ml

$$\begin{array}{l} 2 \rightarrow 100 \\ \text{gm} \quad \text{ml} \\ X \rightarrow 400 \\ \quad \text{ml} \end{array}$$

$$X = \frac{400 \times 2}{100} = 8 \text{ gm}$$

X= 8 g of sodium chloride is dissolved in water to produce 400 ml makes 2% w/v solution

# Mass-volume percentage:

- Example:

Prepare 500 ml of a 1 in 10000 solution from 1 in 5000 solution?

Strength of concentrate 1 in 5000 =  $100/5000 = 0.02\%$

Strength of dilute solution = 1 in 10000 =  $100/10000 = 0.01\%$

Degree of dilution = strength of concentrate / strength of dilute solution =  $0.02/0.01 = 2$  times

Volume of solution to be prepared = 500 ml

Therefore, dilute solution is obtained by diluting  $500/2 = 250$  ml of 1 in 5000 solution to 500 ml

# Mass-volume percentage:

- Solve by yourself:

How much of a 5% will be required to prepare 1000 ml of a 1 in 500 solution?

Strength of concentrate = 5%

Strength of dilute solution = 0.2%

Degree of dilution = 25 times

Volume to be prepared = 1000 ml

Therefore dilute solution is obtained by diluting 40 ml of 5% solution to 1000 ml

$$1 \xrightarrow{\text{gm}} 500 \text{ ml} \Rightarrow \text{w/v}\% = \frac{1}{500} \times \% = 0.2\%$$

$$\text{Degree of dilution} = \frac{\text{Strength of Concentrate}}{\text{Strength of dilute}} = \frac{5\%}{0.2\%} = 25$$

$$\text{Volume of Concentrate} = \frac{\text{Final Volume}}{\text{dilution factor}} = \frac{1000}{25} = 40 \text{ ml}$$

$$\begin{aligned} C_1 V_1 &= C_2 V_2 \\ 5 \times V_1 &= 0.2 \times 1000 \\ V_1 &= 40 \text{ ml} \end{aligned}$$

# Volume-volume percentage:

- (v/v) percentage expresses the number of milliliters of a drug or active ingredient in 100 milliliters of a mixture
- Most useful when a liquid-liquid solution is being prepared
- For example, a 40% v/v ethanol solution contains 40ml ethanol per 100ml total volume

- Example:

Prepare 500 ml of 5% solution of chloroform in 50% alcohol

5 ml chloroform    100 ml of 50% alcohol

X ml    500 ml of 50% alcohol

$$X = \frac{500 \times 5}{100} = 25 \text{ ml}$$

X = 25 ml of chloroform dissolved in sufficient quantity of 50% alcohol to make 500 ml of solution

5 % solution of chloroform means 5ml in 100 ml

5 ml  $\xrightarrow{\text{in}}$  100 ml

X ??  $\leftarrow$  500 ml

$$X = \frac{5 \times 500}{100} = 25 \text{ ml}$$

$\therefore$  add 25 ml chloroform to a sufficient quantity of 50% alcoholic solution to make 500 ml solution

# Ratio strength

- Ratio strength (1:N) is one part by weight or volume in N parts by weight or volume

- 1:200 ratio strength can be

- 1 gm solid to 200 gm solid
- 1 ml liquid to 200 ml liquid
- 1 gm solid to 200 ml liquid

- Example:

If 2000 gm of ointment contain 75 gm of hydrocortisone, what is the percentage strength (w/w) of the ointment?

2000 gm ointment    75 gm hydrocortisone

100 gm ointment    X

X=3.75%     $2000 \rightarrow 75$   
 $100 \rightarrow X$

$$X = \frac{75 \times 100}{2000} = \frac{75}{2000} = 0.0375$$

$$\text{Percent } \% = \frac{375}{10000} \times 100 = 3.75$$

# Ratio strength

- If 8 ml of phenol were added to 480 ml of lotion what is the percentage of phenol in the lotion?
- X=1.6% of phenol
- 100 ml of lotion contain 1.6 ml of phenol

$$8 \rightarrow 480$$

$$\frac{8}{480} = 0.016$$

$$\text{Percent} = \frac{16}{1000} \times 100 = 1.6\%$$

# Ratio strength

- Solve:

1. If 1.2gm of menthol is added to 480 ml of lotion, what is the percentage of menthol in the lotion?

$$\frac{1.2}{480} \times 100 = 0.25$$

Answer= 0.25% of menthol

2. How many milliliters of a 0.1% solution can be made from one gram of atropine sulfate?

0.1 gm in 100 ml ←

$$\begin{array}{l} 0.1 \rightarrow 100 \\ 1 \rightarrow x \end{array}$$

$$x = \frac{100}{0.1} = 1000 \text{ ml}$$

Answer: 1000ml

0.1 % means 0.1 g atropine in 100 ml  
for 1g atropine  $\rightarrow$  ? ?

$$\frac{1g \times 100 \text{ ml}}{0.1g} = 1000 \text{ ml}$$

Stock Solution هو dilute Solution

# Concentration and Dilution

- Stock solutions are concentrated bulk solutions from which more dilute solutions can be quickly prepared
- These solutions can be used with a ratio strength or percentage strengths
- General formula for solving:  $V1 \times S1 = V2 \times S2$
- $V1 =$  the quantity or the amount of the original preparation
- $S1 =$  the % strength of the original preparation expressed as a decimal or percent
- $V2 =$  the quantity or amount of the wanted preparation
- $S2 =$  the % strength of the wanted preparation expressed as a decimal or percent

# Concentration and Dilution

- Example: if 500 ml of a 15% solution are diluted to 1500 ml, what will be the percent strength?

$$500 \text{ ml (V1)} \times 15\% \text{ (S1)} = 1500 \text{ ml (V2)} \times S_2$$

$$S_2 = 5\%$$

$$500 \times 15\% = 1500 \times S_2$$
$$S_2 = \frac{500 \times 15\%}{1500} = 5\%$$

- If 1000 ml of a 20% solution are diluted to 5000 ml what will be the percent strength?

$$1000 \text{ ml (V1)} \times 20\% \text{ (S1)} = 5000 \text{ ml (V2)} \times S_2$$

$$S_2 = 4\%$$

$$1000 \times 20\% = 5000 \times S_2$$

$$S_2 = \frac{1000 \times 20\%}{5000} = 4\%$$

# Concentration and Dilution

- Solve:

1. How many milliliters of a 25% solution can be prepared from 750ml of a 65% solution?  $25\% \times S_2 = 750 \times 65\%$

Answer: 1950 ml

$$S_2 = \frac{750 \times 65\%}{25\%} = 1950 \text{ mL}$$

2. If 30 gm of a 45% powder was diluted to make a 30% powder, how many grams will the new preparation weigh?

Answer: 45 gm

$$30 \times 45\% = M_2 \times 30\%$$

$$M_2 = 45 \text{ gm}$$

3. If 20 ml of a 1:200 solution of a chemical is diluted to 500 ml, what is the ratio strength?  $\frac{1}{200} = 0.005$

Answer: 1:5000

$$20 \times 0.005 = 500 \times M_2$$

$$M_2 = \frac{20 \times 0.005}{25500} = \frac{5}{25000} = \frac{5}{25000} = \frac{1}{5000}$$

# Reducing and Enlarging formulas

تصغير

تكبير

تحويل

- Determine the total weight or volume of ingredients and convert to the required quantity. The quantity in the original and new formulas will have the same ratio

- ① Total Weight or Volume of ingredients (original).
- ② Convert to the required quantity.
- ③  $\times$  or  $\div$  every ingredient at equal ratio.

# Reducing and Enlarging formulas

- Calculate the amount needed for 50 ml strong sodium salicylate mixture

Sodium salicylate 10g

Sodium metabisulfate 1 g

D.S. chloroform water 525 ml

Water (q.s.) 1000 ml

Answer:

Sodium salicylate 0.5g

Sodium metabisulfate 0.05g

D.S. chloroform water 26.25 ml

Water  $\xrightarrow{q.s \text{ to}}$  50 ml

①  $\frac{50}{1000} = 0.05$  reducing ratio

② نقرّب كل مكون ratio

$10 \times 0.05 = 0.5 \text{ g}$

$1 \times 0.05 = 0.05 \text{ g}$

$525 \times 0.05 = 26.25 \text{ ml}$

نضيف ماء حتى يصبح المجموع النهائي 1000

# Reducing and Enlarging formulas

- Calculate the amounts needed for 100 ml peppermint water?

Peppermint water:

Peppermint	2 ml
Talc	15gm
<u>Purified water q.s.</u>	<u>1000 ml</u>

Answer:

Peppermint	0.2 ml
Talc	1.5 gm
<u>Purified water q.s.</u>	<u>100 ml</u>


$$\frac{100}{1000} = 0.1 \text{ Reducing ratio}$$

$$2 \times 0.1 = 0.2$$

$$15 \times 0.1 = 1.5$$

- What is the percentage of alcohol in the following mixture ?

Alcohol       $\overset{S}{2\%}$   $\overset{V}{5\text{ml}}$  ( $\overset{\text{كمية}}{0.1\text{ ml}}$ )       $2\% \times 5 = 0.1\text{ ml}$       ← كمية

Alcohol      4%    10 ml (0.4 ml)       $4\% \times 10 = 0.4\text{ ml}$       ← الكحول

Answer:

$$0.1 + 0.4 = 0.5$$

$$0.5 / (5 + 10) = 0.0333$$

$$X = 3.33\%$$

$$\begin{aligned} \text{Total alcohol quantity} &= 0.1 + 0.4 \\ &= 0.5\text{ ml} \end{aligned}$$

$$\text{total alcohol volume} = 10 + 5 = 15$$

$$\begin{aligned} \text{Percentage} &= \frac{0.5}{15} = 0.0333 \\ &\% \Rightarrow \frac{33}{1000} \times 100 \\ &= 3.3 \end{aligned}$$

## Alligation method

How many parts of an 20% w/v solution and 8% w/v solution are needed to produce an 10% w/v solution?

12 parts

- Solution of Highest Concentration: 20% w/v
- Solution of Lowest Concentration: 8% w/v
- Solution of Desired Concentration: 10% w/v
- Subtracting the lower concentration (8 w/v) from the desired concentration (10% w/v) = 2 (higher concentration ratio value)
- Subtract the desired concentration (10 w/v) from the higher concentration (20% w/v) = 10 (lower concentration ratio value)

This gives us a ratio of 2:10 (higher concentration : lower concentration)

Let's suppose that the question asked us to produce 500mL of 10% w/v solution.

In this case, we know the ratio – 2:10

In other words, 2 parts higher concentration to 10 parts lower concentration.

In other words, there are 12 parts (2 parts + 10 parts):

- $2/12 \times 500\text{mL} = 83.33\text{mL}$
- $10/12 \times 500\text{mL} = 416.66\text{mL}$

# Iso-osmoticity and Isotonicity

- Osmosis is a phenomenon that occur when a semipermeable membrane (permeable only to solvent molecules) is used to separate solutions of (different solute concentrations)  $\Rightarrow$  generate osmotic pressure
- The solvent molecules cross the membrane from lower to higher concentration to establish a concentration equilibrium
- The pressure driving this movement called osmotic pressure
- Osmotic pressure is governed by the number of particles of solute in solution
- Iso-osmotic solutions: solutions containing the same concentration of particles and thus exert equal osmotic pressure

ظاهرة

تنبه منه

المذيب (الماء)

generate

osmotic pressure

لحقيق

عادة ما يكون water

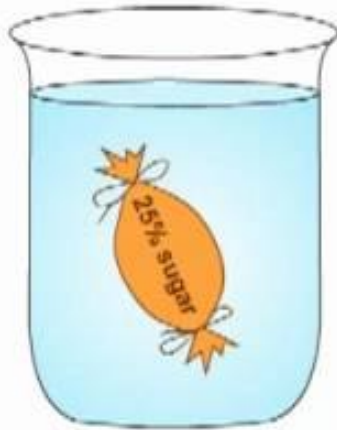
يعتمد على

$\uparrow$  number of solute particles  $\rightarrow$   $\uparrow$  osmotic pressure

مستوية التركيز الاسموزي

no movement [solvent]

This is a  
**Hypotonic Solution**  
(in relation to the bag contents)



**Beaker A**  
100 ml dH<sub>2</sub>O

This is an  
**Isotonic Solution**  
(in relation to the bag contents)



**Beaker B**  
100 ml 25% sugar



**Beaker C**  
100 ml 50% sugar

In the final experiment, watch what happens when a bag containing 25% sugar is placed in a beaker containing 50% sugar. In this case, the solute concentration of the beaker is higher than that of the bag.

Isotonic ← IV \*  
Solution (Intravenous)  
الحاليل الوريدية

\* تسمية المحاليل نسبة لتركيز المذاب سolute \*  
↓ Solute ← Hypo \*  
↑ Solute ← Hyper \*

\* المحلول المحيط بالخلية  
عالي التركيز > داخل الخلية  
أقل تركيز

Hypertonic

exp: RBC's

Isotonic

\* المحلول المحيط بالخلية أقل  
تركيز < الخلية أعلى تركيز

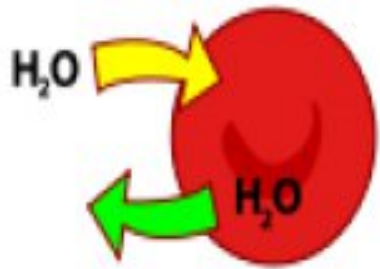
Hypotonic



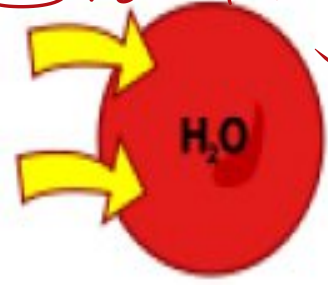
Shrinking



\* تنكس وتصلب \*



Swelling



\* تنتفخ وتنفجر \*  
Lysis

iso-osmotic = isotonic

# Iso-osmoticity and Isotonicity

- A 0.9% <sup>نورمال سالين</sup> solution of sodium chloride (normal saline) is iso-osmotic with blood  
*osmotic pressure NaCl = osmotic pressure blood*
- Isotonic means equal tone and sometimes is used interchangeably with the term iso-osmotic  
*Same osmotic pressure ←*
- The importance of using isotonic or iso-osmotic solutions is to assure that there is no tissue damage or pain when the formulation is administered ⇒ اعطاء الدواء
- \* Hypotonic solutions produce painful swelling of tissues
- \* Hypertonic solutions produce painful shrinking of tissues

# Methods used to adjust the isotonicity of compounded solutions:

## 1. Sodium chloride equivalent method:

- **the most widely used**
- The NaCl equivalent (E) is the amount of NaCl that has the same osmotic effect (based on the number of particles) as 1gm of drug
- جدول قيم E Tables of (E) for various drugs are available in standard references

## 2. Cryscopic method

طريقة الخفاض نقطة التجمد

كلما زاد عدد الجزيئات الذائبة في المحلول

تخفون درجة تجمده

## 3. Isotonic solution V values

طريقة قيم V للمحاليل المتساوية التوتر Osmotic Pressure

# Sodium Chloride Equivalent Method:

- Example: Calculate the amount of NaCl required to make the following ophthalmic solution isotonic:

Atropine Sulfate      2%

NaCl                      q.s.

Aqua. Dist. q.s. ad.      30 ml

\* each gram of atropine sulfate can be replaced by 0.13 g of NaCl

$$0.9 \text{ gm} \rightarrow 100 \text{ ml}$$

$$x \rightarrow 30 \text{ mL}$$

$$x = 0.27 \text{ gm of NaCl}$$

1gm of  
Atropine  
Sulfate  
=  
0.13gm  
of NaCl  
حسب  
التأثير  
الاسموزي

# Sodium Chloride Equivalent Method:

1. Determine the amount of NaCl to make 30 ml of an isotonic solution:

● 0.9g of sodium chloride in 100 ml of water will make an isotonic solution

● 0.9gm    100 ml

● X        30 ml

● X = 0.27 gm

\* NaCl  
Isotonic  
0.9 %

\* 0.9%  
ساله

# Sodium Chloride Equivalent Method:

2. Calculate the <sup>تأثير</sup> contribution of atropine sulfate to the osmotic pressure of the solution (the sodium chloride equivalent for atropine sulfate (E)= 0.13):

- $30 \text{ ml} \times 2\text{g}/100 \text{ ml} = 0.6 \text{ g}$  atropine sulfate will be present in the formulation
- $0.6\text{g} \times 0.13 = 0.078 \text{ gm}$  will be the sodium chloride equivalent contribution of atropine sulfate

$$\begin{array}{l} 2 \text{ gm} \rightarrow 100 \text{ ml} \\ X \quad \rightarrow 30 \text{ ml} \end{array}$$

$$X = 0.6 \text{ gm of atropine sulfate}$$

$$\begin{array}{l} \text{amount} \\ \text{needed to} \\ \text{make solution isotonic} \end{array} \times E = 0.6 \times 0.13 = 0.078$$

# Sodium Chloride Equivalent Method:

3. Determine the amount of NaCl to add to the formulation:

- The sodium chloride needed to make the final solution isotonic is calculated by:

$$0.27 \text{ gm} - 0.078 \text{ gm} = 0.192 \text{ gm} \Rightarrow \text{NaCl should be added.}$$

4. What if boric acid is used to adjust isotonicity in ophthalmic solution because of its buffering and anti-infective properties:

- E for boric acid = 0.5  $\Rightarrow$  1 gm Boric acid = 0.5 gm NaCl

- 0.192g NaCl X g boric acid

- 0.5 g NaCl 1 g boric acid

- X = 0.38 g

$$\begin{matrix} 0.5 \text{ g} \rightarrow 1 \text{ gm} \\ \leftarrow 0.192 \rightarrow X \\ \text{من السؤال السابق} \end{matrix}$$

$$X = \frac{0.192 \times 1}{0.5} = 0.384 \text{ gm}$$

amount of Boric acid that should be added to make solution isotonic

# Isotonic Solution V Values

- The V value of a drug is the volume of water to be added to a specified weight of drug to prepare an isotonic solution
- The V values are given in tables constructed for 0.3g and 1.0 g of drug
- The basic principle is to prepare an isotonic solution of the prescribed drug and then dilute this solution to a final volume with a suitable isotonic vehicle

اطبدأ الاساسي

①

②

# Extra practice

- A physician asks a pharmacist to calculate the dose of a cough syrup so that it may be safely administered dropwise to a child. The cough syrup contains the active ingredient dextromethorphan HBr, 30mg/15ml, in a 120-ml bottle. Based on the child's weight and literature references, the pharmacist determines the dose of dextromethorphan HBr to be 1.5mg for the child.

The medicine dropper to be dispensed with the medication is calibrated by the pharmacist and shown to deliver 20 drops of the cough syrup per 1 ml.

Calculate the dose, in drops, for the child? (answer 15 drops)

① تركيز الدواء في 1 ml  
30 mg → 15 ml  
x → 1 ml  
 $x = \frac{30}{15} = 2 \text{ mg}$

② كم ما يعطى جرعة 1.5 mg  
2 mg → 1 mg  
1.5 mg → x  
 $x = 0.75 \text{ ml}$

③ خول 1 ml الى drops  
1 ml → 20 drops  
0.75 → x  
 $x = 15 \text{ drops}$

# Extra practice

- The regimen for a drug is as follows: 5 mcg/kg q week x 2 then 7 mcg/kg q 2 weeks. Calculate the dose in mcg that a 143 lb patient receives in a month. (1 lb = 0.453 kg)

a. 323.9

b. 647.8

c. 1101

d. 453

① تحويل الوزن  
 $1 \text{ lb} \rightarrow 0.453 \text{ kg}$   
 $143 \text{ lb} \rightarrow x$   
 $x = 64.78 \text{ kg}$

② حساب الجرعة الاسبوعية الاولى  
 $5 \times 64.78$   
 $= 323.9$   
 $\approx 324 \text{ mcg}$   
 لجرعة الاسبوعين  
 $324 \times 2 = 648 \text{ mcg}$

③ الجرعة الثانية  
 $7 \times 64.78$   
 $= 453.46$   
 $\approx 454 \text{ mcg}$   
 مرة كل الاسبوعين

In one month  
 مرة واحدة في الاسبوعين + الاسبوعين التاليين  
 $648 + 454$   
 $= 1102 \text{ mcg}$

- How many milligrams of a drug does a 187 lb patient receive over a 4 hour period if the recommended dose is 3.5 mg/kg/h?

a. 296.5

b. 1186

c. 187

d. 2372

① تحويل الوزن  
 $1 \text{ lb} \rightarrow 0.453 \text{ kg}$   
 $187 \rightarrow x$   
 $x = 84.7 \text{ kg}$

② جرعة خلال ساعة  
 $3.5 \times 84.7$   
 $= 296.45$   
 mg

③ خلال 4 ساعات  
 $4 \times 296.45$   
 $= 1185.8 \text{ mg}$

e. 595

# Extra practice

- The pediatric dose for an antibiotic is 10 mcg/kg/day for 5 days. How many micrograms should be given to a 45 lb child for the entire treatment period?

a. 1019	<p>① تحويل الوزن  <math>1 \text{ lb} \rightarrow 0.453 \text{ Kg}</math>  <math>45 \rightarrow X</math>  <math>X = 20.385 \text{ Kg}</math>  <math>\approx 20.4 \text{ Kg}</math></p>	<p>② حساب الجرعة اليومية  <math>10 \times 20.4</math>  <math>= 204 \text{ mcg/day}</math></p>	<p>③ خلال 5 أيام  <math>5 \times 204 = 1020</math>  <math>\text{mcg}</math></p>
b. 204			
c. 2038			
d. 90			
e. 40.9			

- A dose of 2 mg/kg of an antibiotic results in a peak blood serum level of 5 mcg/mL. How many milligrams of the drug should be given to a 143 lb patient if a peak blood serum level of 5.5 mcg/mL is desired?

\* المستوى في الدم يتناسب طردياً مع الجرعة \*      ↑ الجرعة      ↑ تركيز الدواء في الدم

a. 130	<p>① تحويل الوزن  <math>1 \text{ lb} \rightarrow 0.453 \text{ Kg}</math>  <math>143 \rightarrow X</math>  <math>X = 64.78 \text{ Kg}</math>  <math>\approx 64.8</math></p>	<p>② حساب الجرعة الأولية  <math>2 \times 64.8</math>  <math>= 129.6 \text{ mg}</math>  <math>5 \text{ mcg/mL} \leftarrow</math></p>	<p>③ حساب الجرعة المطلوبة  <math>5 \rightarrow 129.6 \text{ mg}</math>  <math>5.5 \rightarrow X</math>  <math>X = 142.56 \text{ mg}</math></p>
b. 65			
c. 286			
d. 357.5			
e. 143			

# Extra practice

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